

Understanding Wire Chafing: Model Development and Optimal Diagnostics Using TDR

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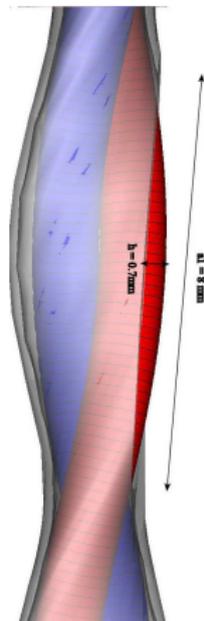
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Outline

- 1 Introduction
 - Importance of Wiring Faults
 - Chafing Faults
- 2 Modeling and Data Collection
 - Modeling
 - Simulation
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- 3 Optimal Fault Detection
 - Theory
 - Example



Wiring, what's the big deal?

- Wiring problems most likely led to the TWA 800 (1996) and Swissair 111 (1998) tragedies
- On average 3 fire and smoke events occur each day on jet transport aircraft in the US and Canada (1999)
- Recently, American Airlines Flight 1738 experienced smoking in the cockpit (January 2008)
 - official cause was arcing within the windshield heat system
 - cockpit windshield shattered during the emergency landing
 - no injuries



Chafing Fault Definition

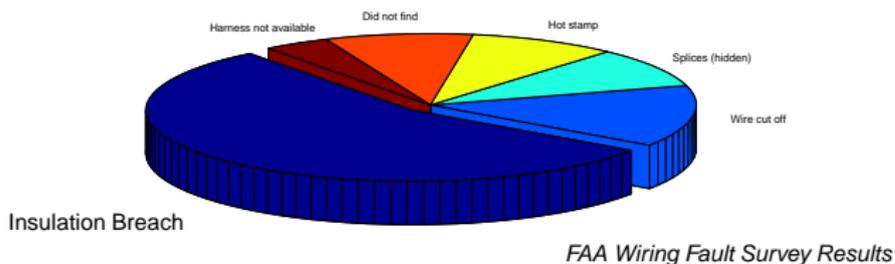
Localized damage to the insulation and shielding of a wire.

- Typically caused by wires rubbing against each other or their fixtures over long periods of time
- Becoming an increasing problem in aging aircraft



Why chafing faults?

- A frequently occurring type of wiring fault
- Precursors to more significant problems:
 - open and short circuits (cause instrument failure)
 - arcing (causes smoking, fires, or worse!)
- Successful detection of these faults would allow us to:
 - identify fault's location and severity
 - track fault progression and estimate remaining useful life

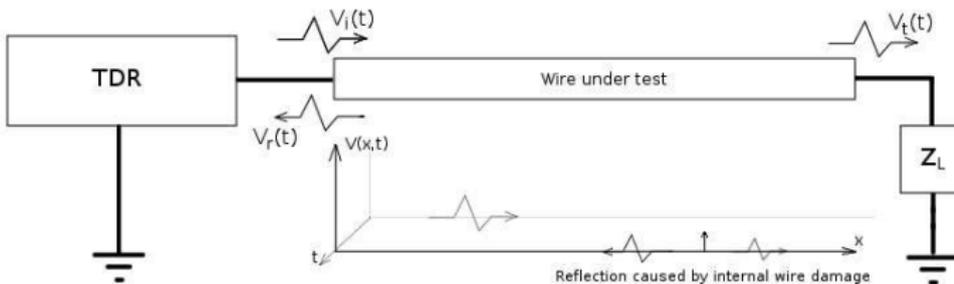


Detecting chafing faults

- Time Domain Reflectometry is an industry standard method.

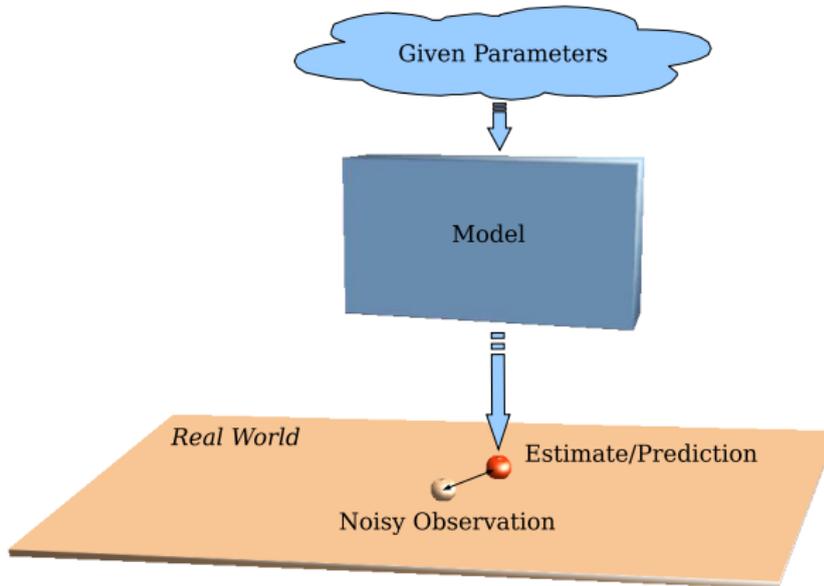
Main idea:

Ping wire with an input pulse and see what comes back.

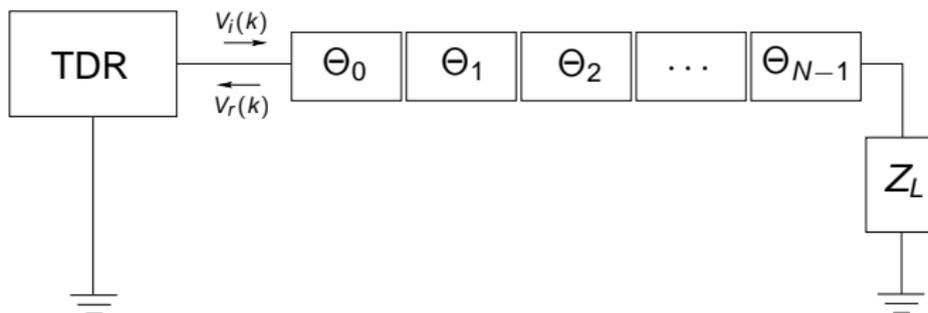


Forward Model

A way to deduce the observations from given parameters.



Example: LTI Model

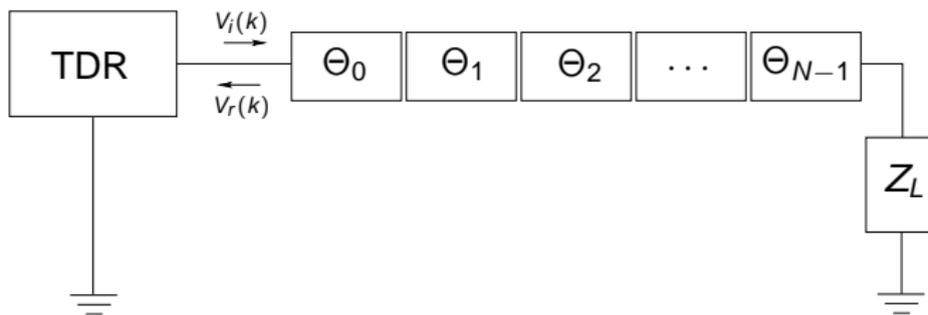


$$V_r(k) = \Theta * V_i(k)$$

- The reflection coefficients Θ_k and input $V_i(k)$ are given
- Motivated through physics by assuming the line is lossless and linear time invariant (LTI)



Example: LTI Model

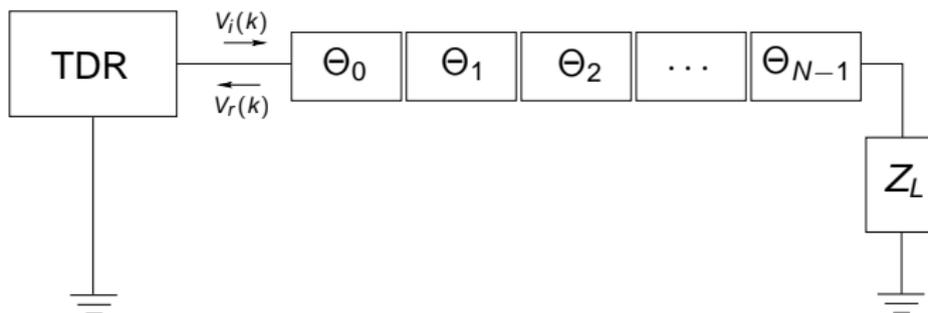


$$V_r(k) = \Theta_0 V_i(k) + \Theta_1 V_i(k-1) + \dots + \Theta_{N-1} V_i(k-N+1)$$

- The reflection coefficients Θ_k and input $V_i(k)$ are given
- Motivated through physics by assuming the line is lossless and linear time invariant (LTI)



Example: LTI Model

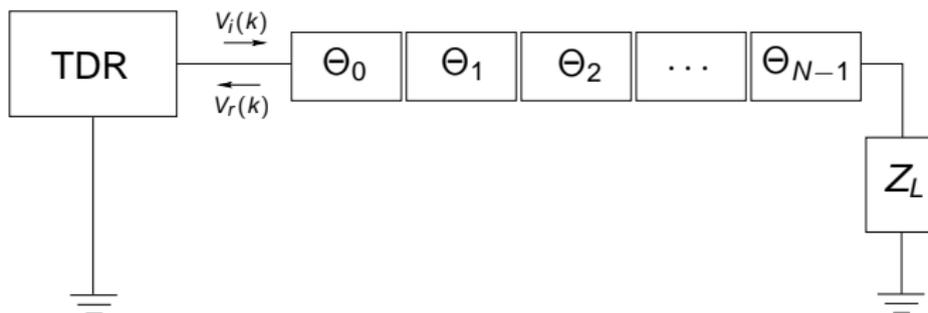


$$V_r(k) = 0V_i(k) + 0V_i(k-1) + \dots + 0V_i(k-N+1) = 0$$

- The reflection coefficients Θ_k and input $V_i(k)$ are given
- Motivated through physics by assuming the line is lossless and linear time invariant (LTI)



Example: LTI Model



$$V_r(k) = 0V_i(k) + 0.1V_i(k-1) + \dots + 0V_i(k-N+1) = 0.1V_i(k-1)$$

- The reflection coefficients Θ_k and input $V_i(k)$ are given
- Motivated through physics by assuming the line is lossless and linear time invariant (LTI)



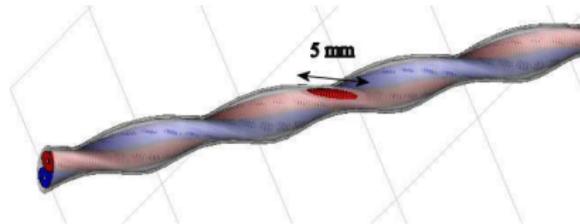
Model Verification Approach

- Compare with simulated results obtained by solving Maxwell's equations
 - This is the best of all models we have
 - Further simplifications can not perform better
- Collect data from repeatable laboratory experiments with controlled parameters



Simulation

- Create a computerized 3D model of the wire under test
 - define material types and cable dimensions
 - define fault location and size
- Numerically solve Maxwell's equations to come up with the TDR response
 - comparison with lab results reveals best model performance
- All done using CST Microwave Studio, a commercially available computational electromagnetics (EM) package.



Experimental Data Collection

- Focus on twisted shielded pair wire type
- Measure TDR response of undamaged cable
- Use an abrasive apparatus to chafe a small section of the wire for a set period of time (or number of cycles)
- Measure TDR response of the chafed wire



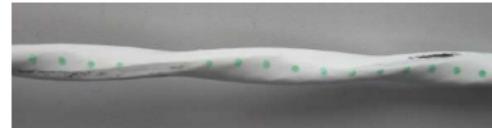
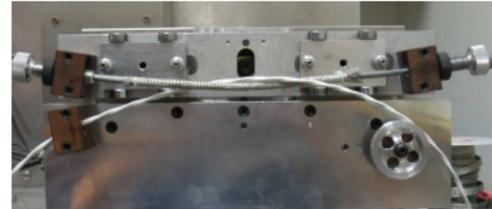
Figure: chafe to short, 4k, and 8k cycles beyond short



Abrasion Chafing



Wire on Wire Chafing

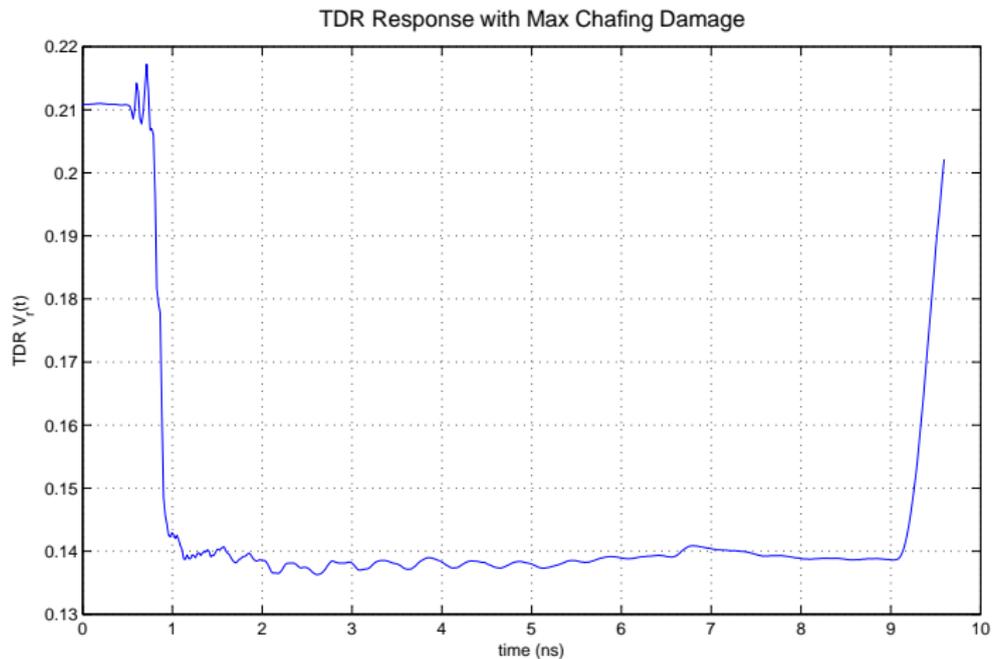


All data sets are publicly available at:

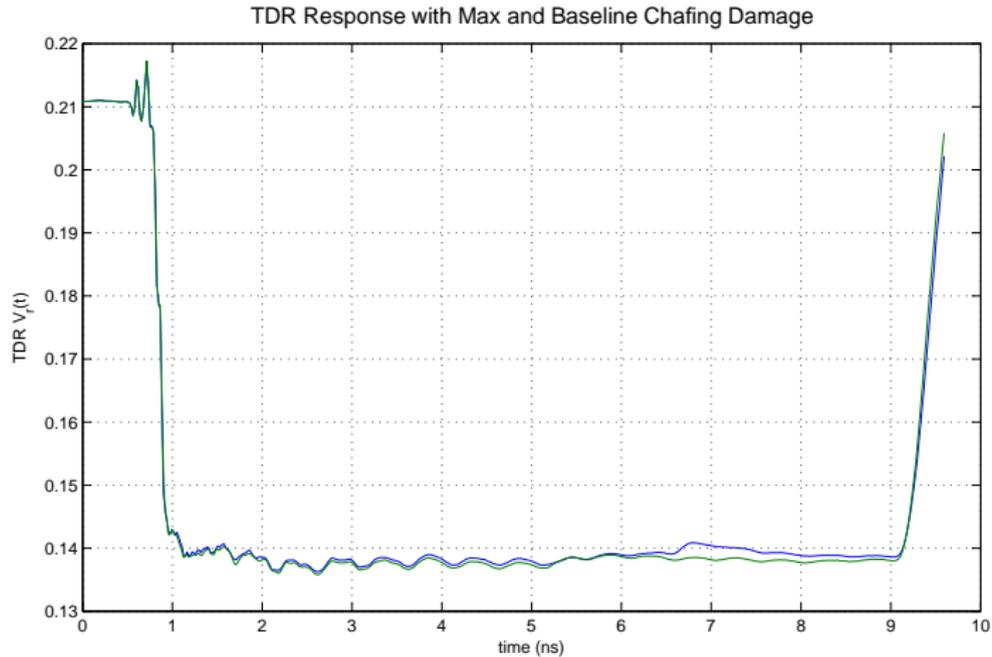
<http://ti.arc.nasa.gov/project/wiring>



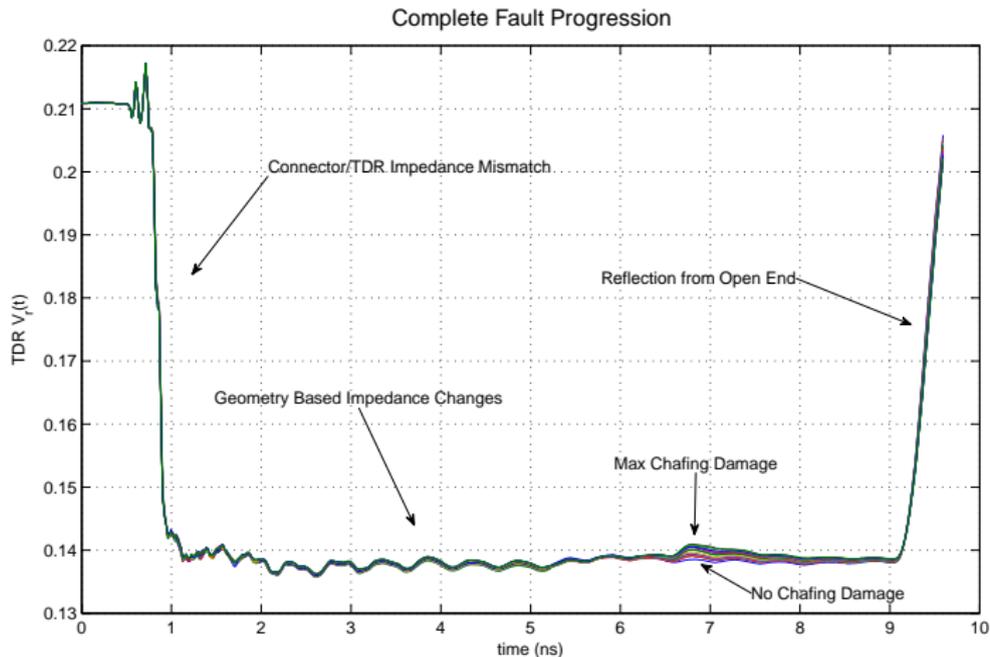
Experimental Fault Progression



Experimental Fault Progression

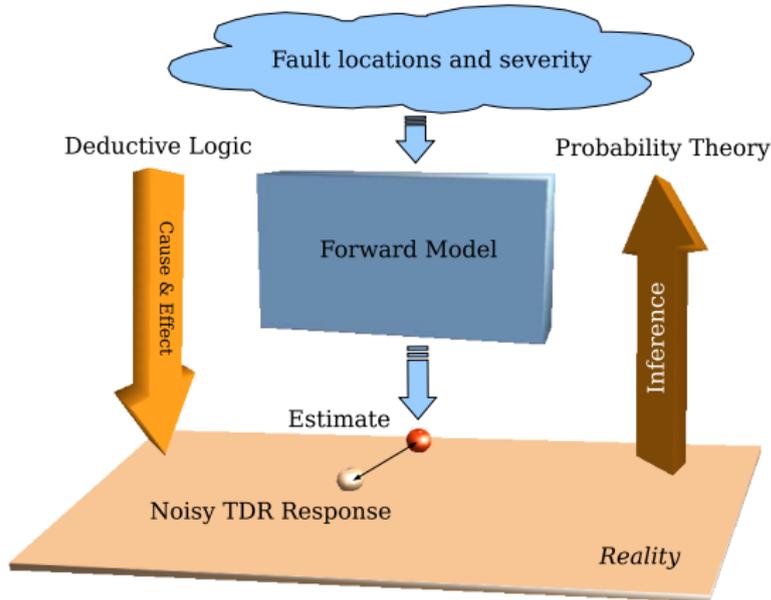


Experimental Fault Progression

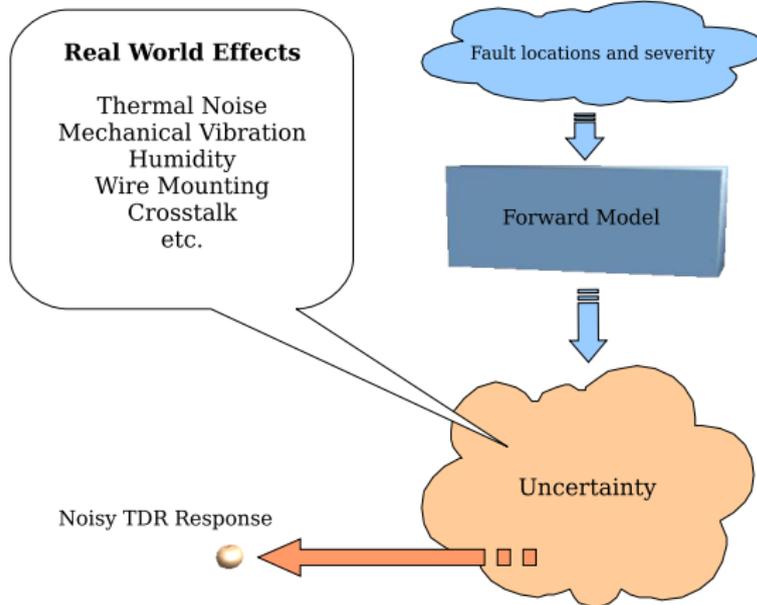


The Real Problem

Given the reflected TDR signal, estimate fault locations and severities.



Sources of Uncertainty



Optimal Fault Detection

- Let,
 - Θ represent fault locations and severities
 - y represent our observed TDR response measurement
 - $F(\Theta)$ represent the deductive forward model
- We want to find Θ that solves:

$$\begin{array}{ll} \text{maximize} & \mathbf{Prob}(\Theta|F, y) \\ \text{subject to} & \text{constraints} \end{array} \quad (1)$$

- Provides the most likely fault locations given the observed signal and accepted model
- More importantly, $\mathbf{Prob}(\Theta|F, y)$ characterizes estimation certainty



Just one problem left ...

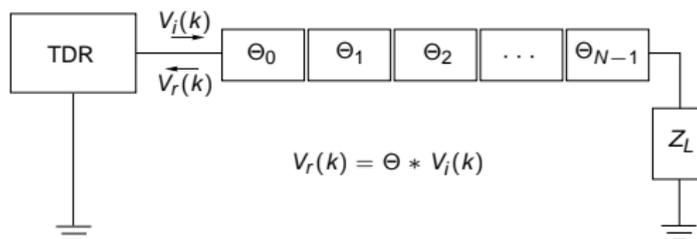
- How do we get **Prob**($\Theta|F, y$)?
- Use Bayes Rule:

$$\underbrace{\mathbf{Prob}(\Theta|F, y)}_{\text{posterior}} \propto \underbrace{\mathbf{Prob}(y|F, \Theta)}_{\text{likelihood}} \underbrace{\mathbf{Prob}(\Theta|F)}_{\text{prior}} \quad (2)$$

- Terms on the right are found as follows:
 - **Prob**($y|F, \Theta$) follows from deductive logic (since Θ is given) and specification of the measurement noise process
 - **Prob**($\Theta|F$) represents our prior knowledge of Θ



Example Using the LTI Model



- $\Theta \in \mathbf{R}^N$ is the variable we want to estimate
- $F(\Theta) = \Theta * V_i = H\Theta$ represents our model
 - $H \in \mathbf{R}^{N \times N}$, is a convolution matrix
- $y = F(\Theta) + \nu$, where $\nu \in \mathbf{R}^N$ is Gaussian noise
- Prior information is that Θ is sparse, since chafing damage is small and localized



- Likelihood: $\mathbf{Prob}(y|F, \Theta) \propto e^{-\frac{1}{2\sigma^2} \|F(\Theta) - y\|^2}$
- Prior: $\mathbf{Prob}(\Theta|F) \propto e^{-\lambda \sum_{k=0}^{N-1} |\Theta_k|}$
 - A heuristic for prior information that Θ is sparse
- Solve: maximize $\mathbf{Prob}(\Theta|F, y) \propto \mathbf{Prob}(y|F, \Theta) \mathbf{Prob}(\Theta|F)$, which is equivalent to,

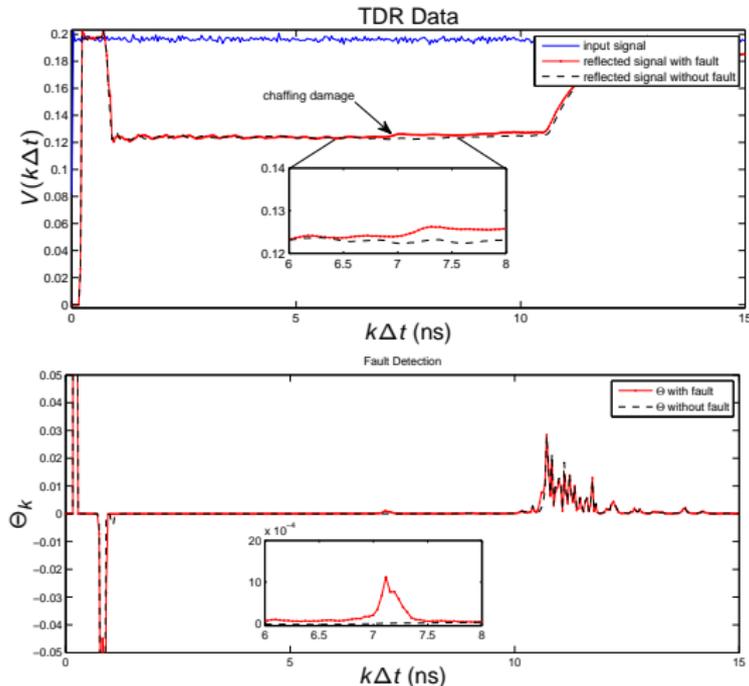
$$\text{minimize } \frac{1}{2\sigma^2} \|F(\Theta) - y\|^2 + \lambda \sum_{k=0}^{N-1} |\Theta_k| \quad (3)$$

- Since $F(\Theta) = H\Theta$ is a linear function, (3) is a convex optimization problem
- Can be solved globally and efficiently for large N
- None of this is obvious and depends on missing details



Example estimation result

- $N = 1024$, $\Delta t = 0.04$ ns



Accomplishments

- Developed a simulation and experiment based fault library
- Set foundation for modeling and optimal fault detection

Future Goals

- Understand electromagnetic effects of wiring damage
- Provide testing and requirements guidance
- Quantitatively assess real-world effects

Characterize our ability to find and diagnose chafing faults.



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