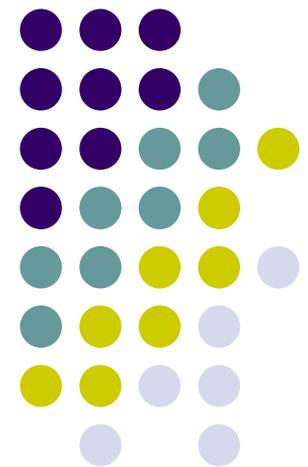
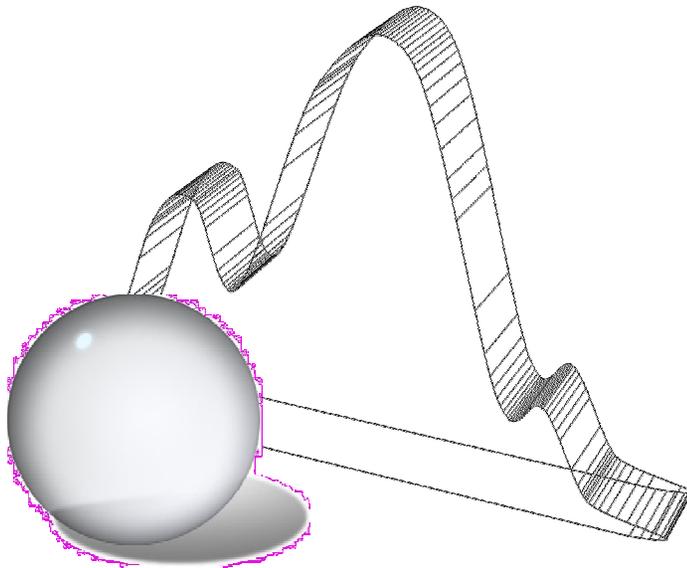


Battery Prognostics

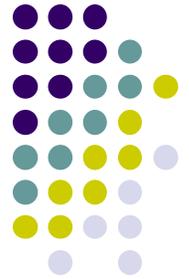
November 19, 2008

Bhaskar Saha

(Bhaskar.Saha@nasa.gov)



Prognostics Testbed



- Motivation

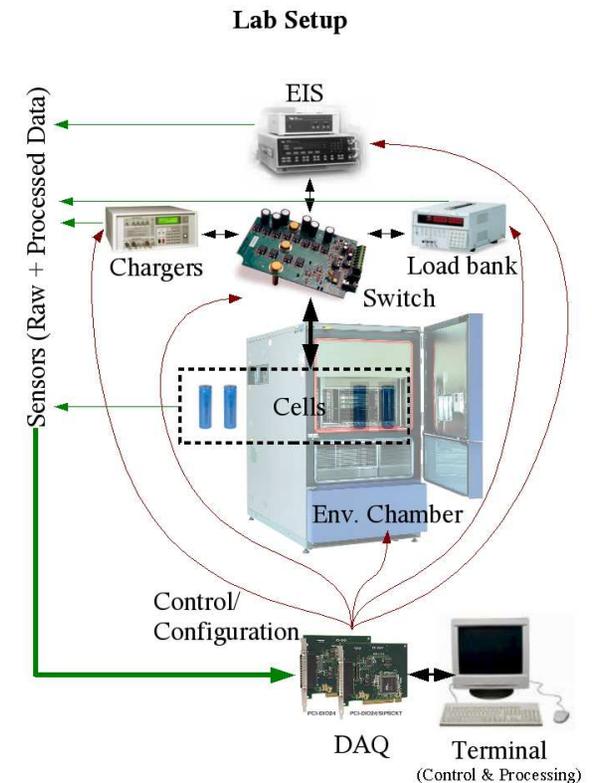
- To facilitate research in prognostics, it is imperative to have a hardware testbed that mimics the complexities and issues encountered for a real system.
- Such a system will support
- Algorithm development
- Testing and validation of prognostic tools
- Benchmarking of different approaches
- Development of metrics for prognostics
- Collection and dissemination of run-to-failure data

- Goal

Demonstrate ability to distinguish between components at different health states having similar external observables and then to predict the end of life

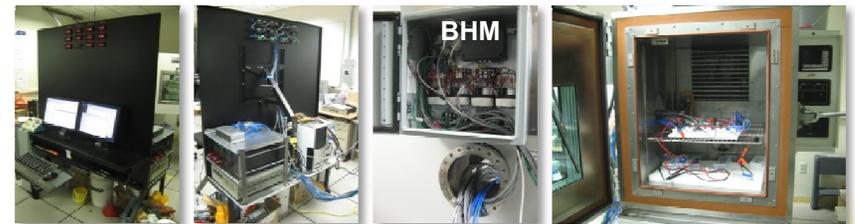
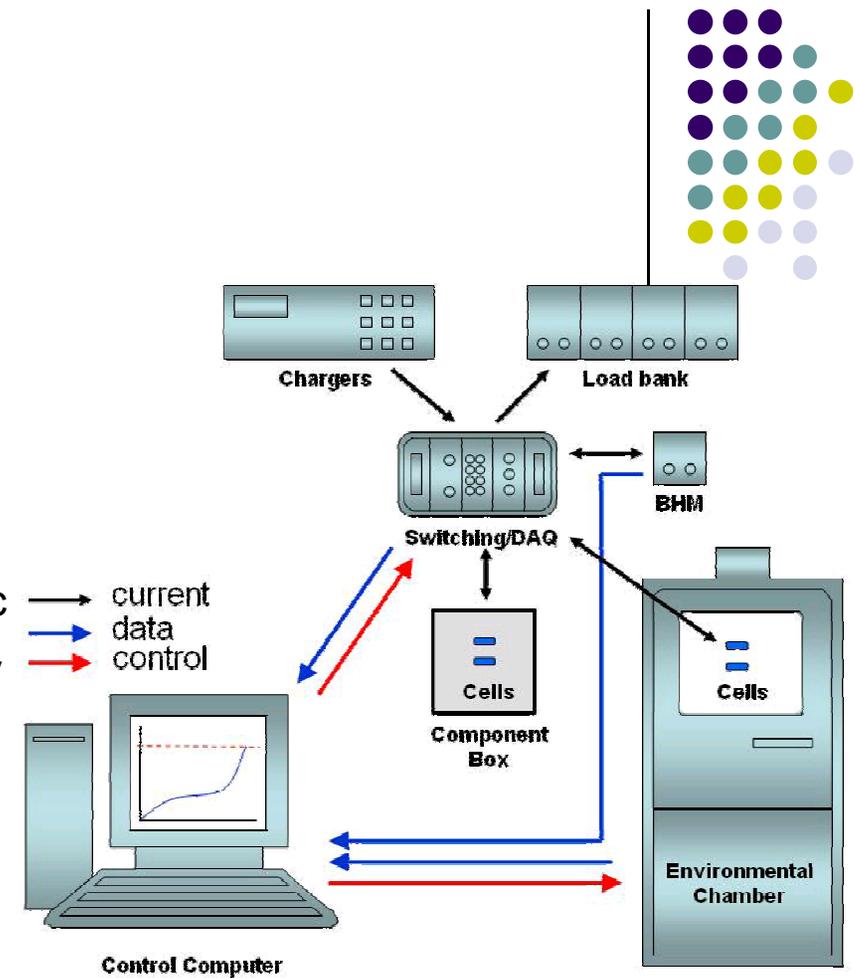
Why Batteries?

- Resemble a system that has real-world relevance
- Allow for repeated run-to-failure of components
- Perform run-to-failure in reasonable time
- Support monitoring of ground truth
- Collect data for state assessment
- Support demonstration of prognostic solutions
- Allow control of several operational and/or environmental variables
- Allow quantification of uncertainty sources
- Support repeated run-to-failure within a finite budget
- Support automated data collection during the aging

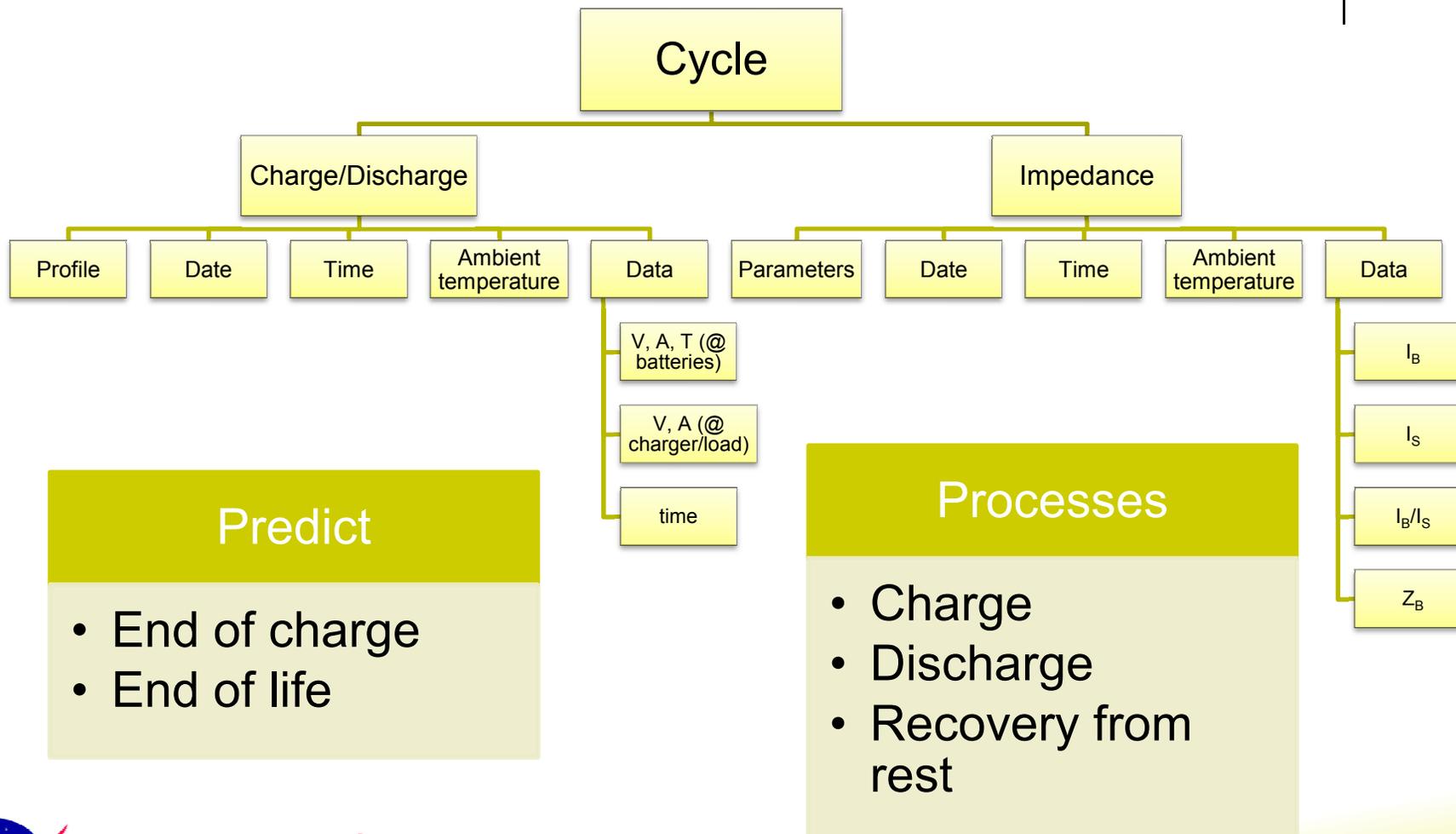


Battery Testbed

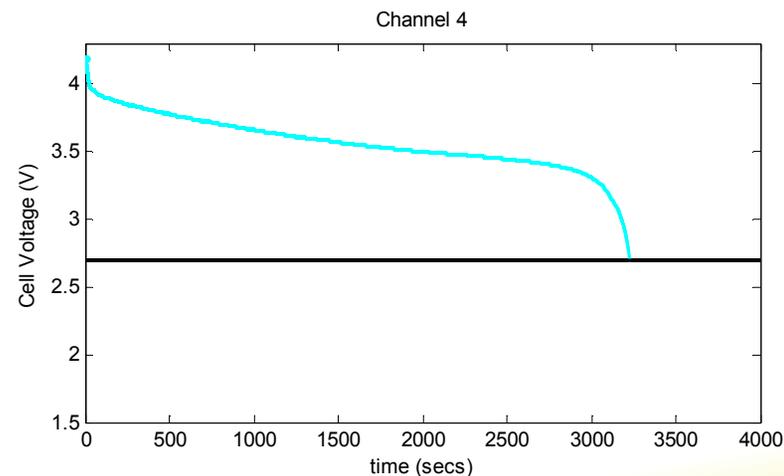
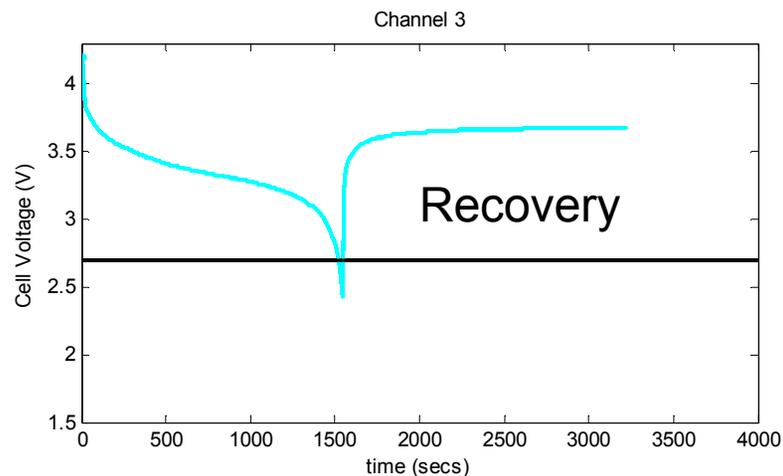
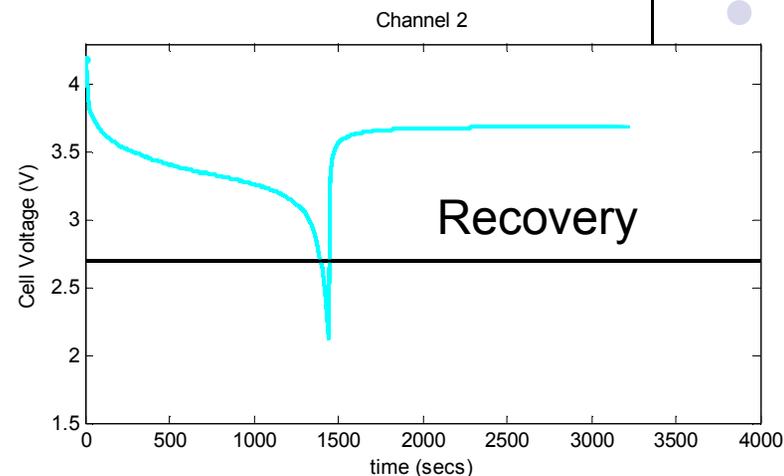
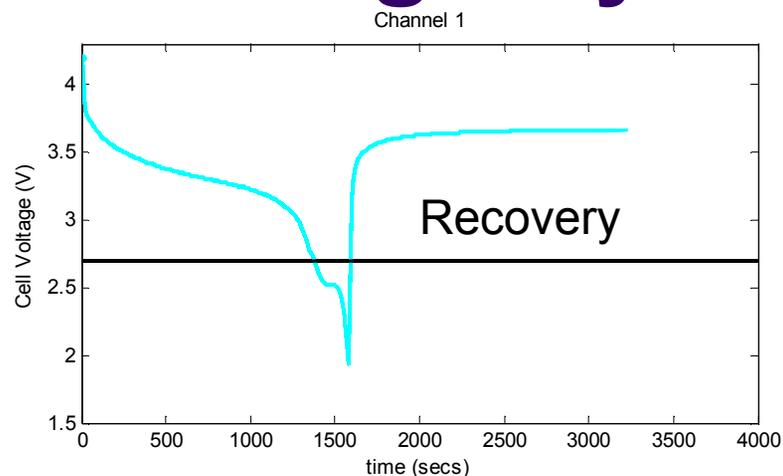
- Experimental Plan
- Cells are cycled through charge and discharge under different load and environmental conditions set by the electronic load and environmental chamber respectively
- Periodically EIS measurements are taken to monitor the internal condition of the battery
- DAQ system collects externally observable parameters from the sensors
- Switching circuitry enables cells to be in the charge, discharge or EIS health monitoring state as dictated by the aging regime



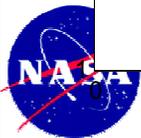
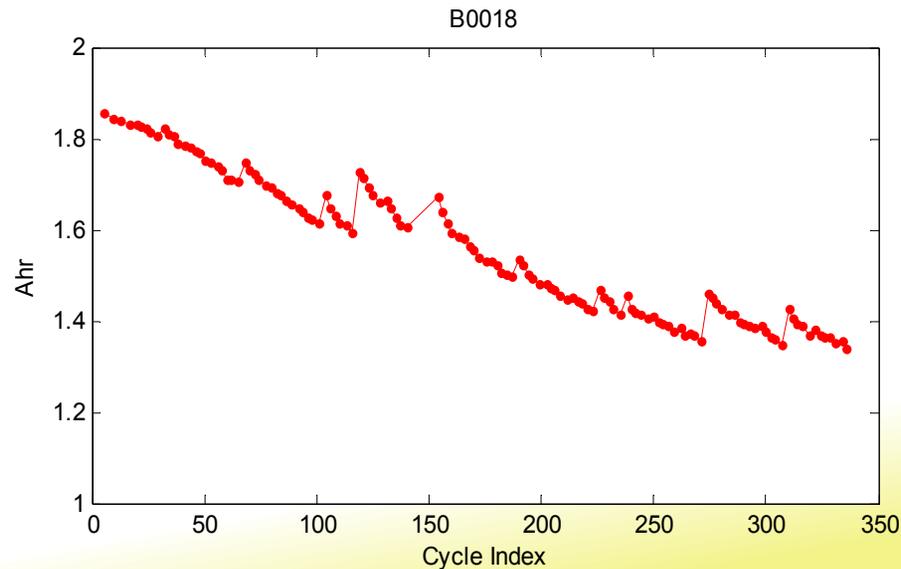
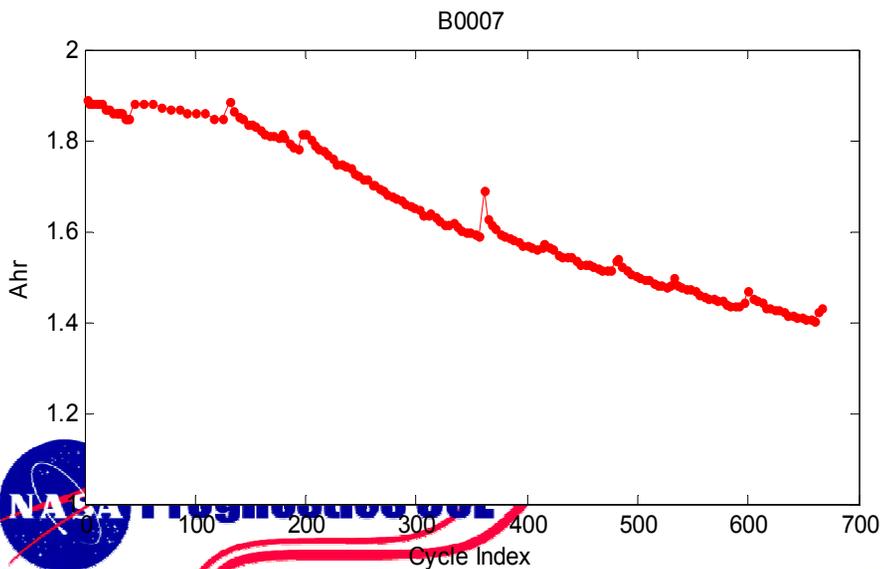
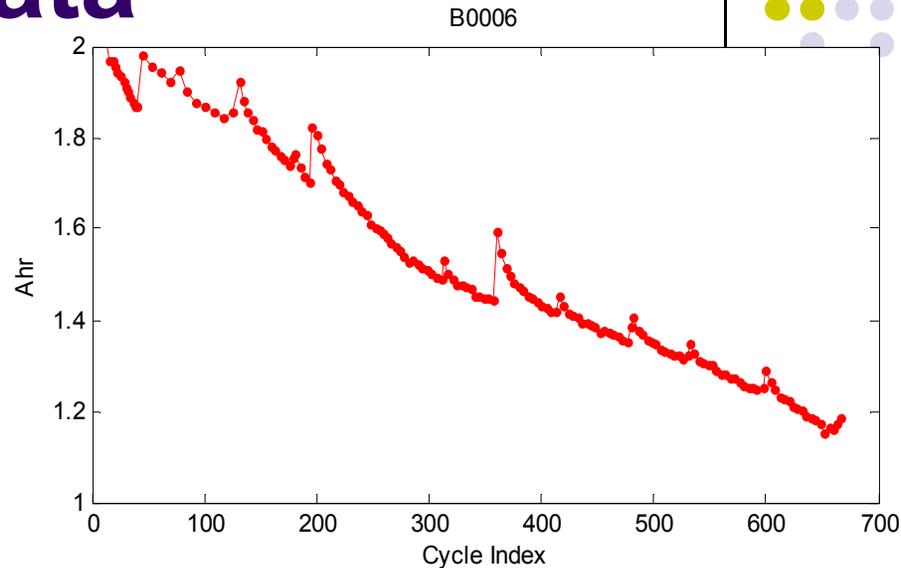
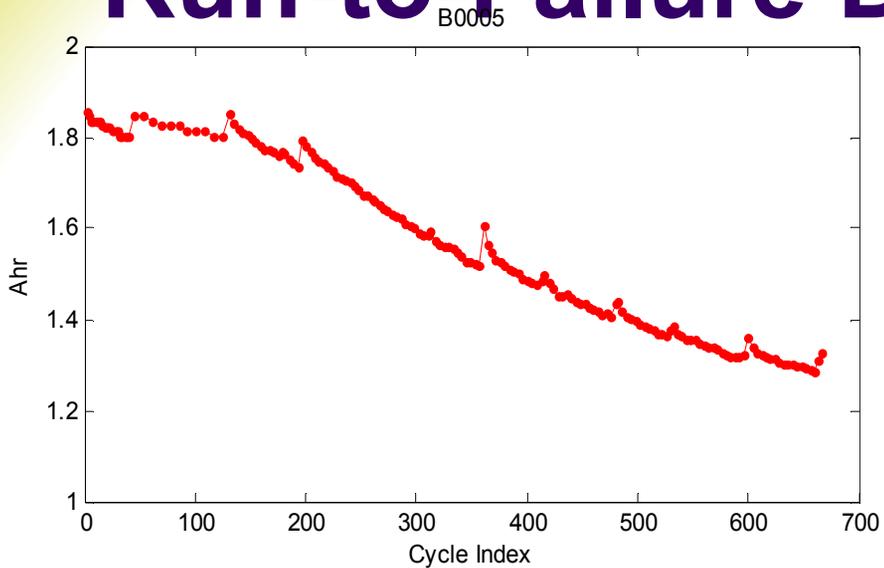
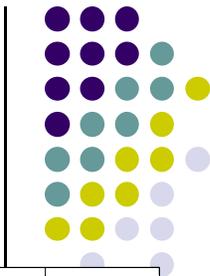
Data Format



Discharge Cycle Data

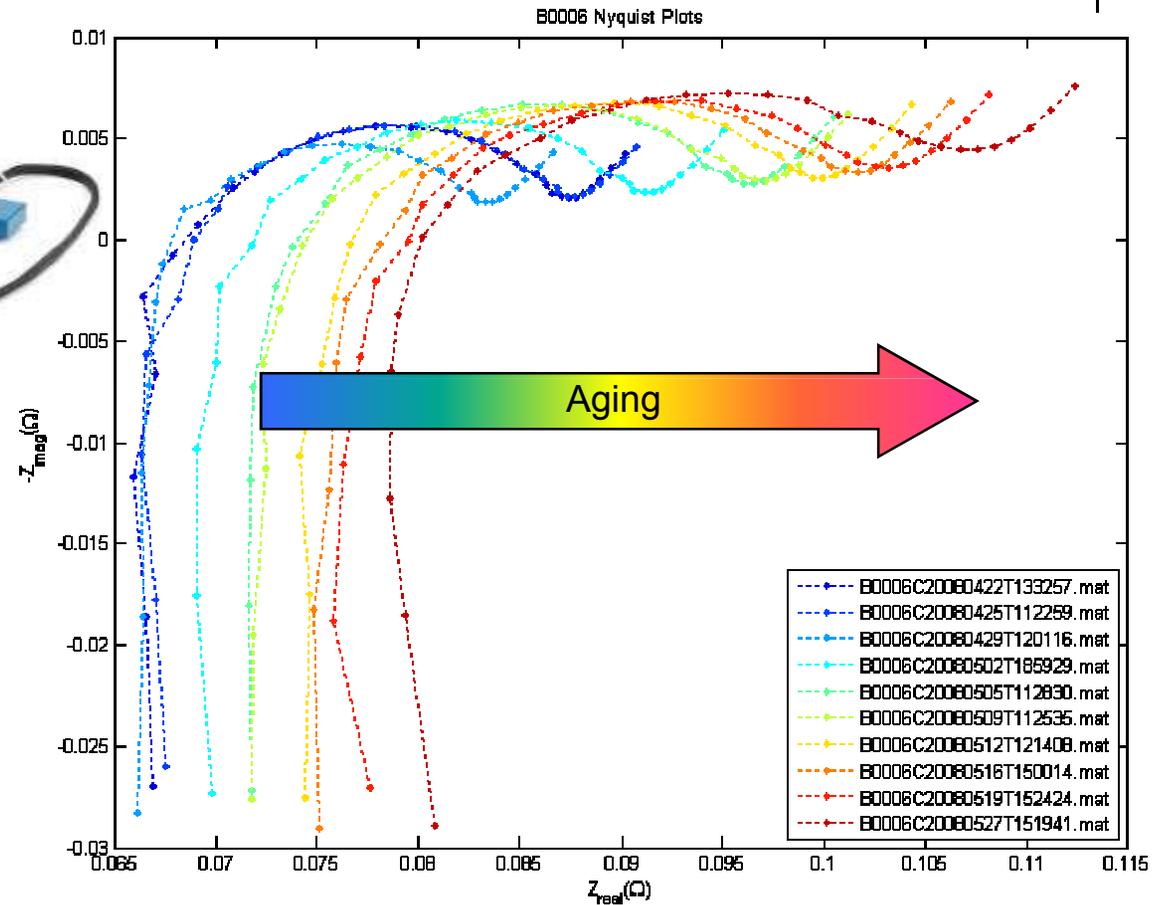


Run-to-Failure Data

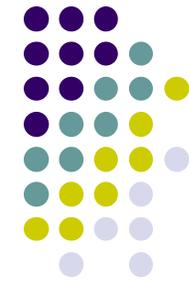


Proprietary Data

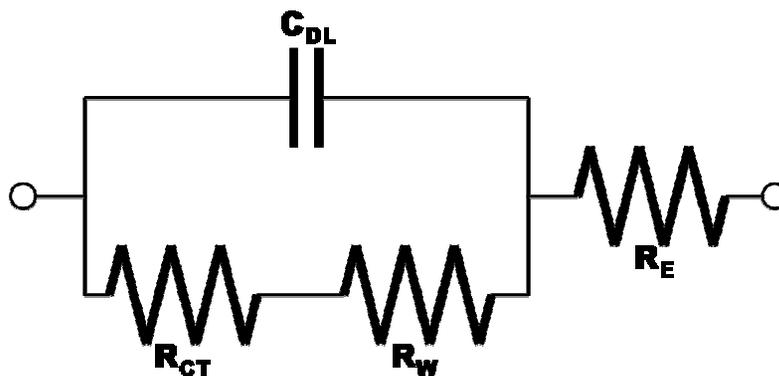
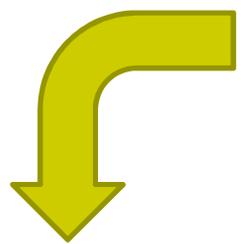
Aging Data



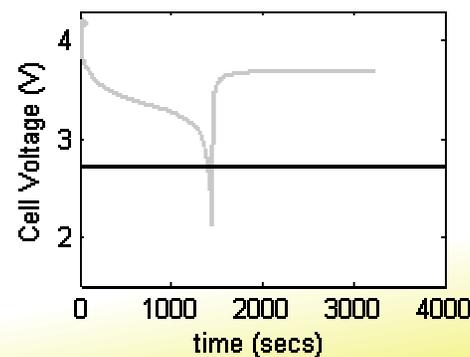
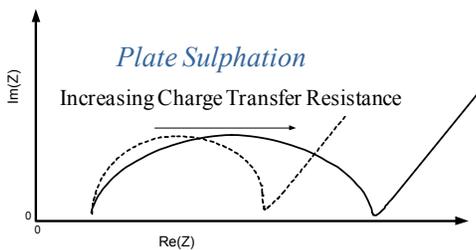
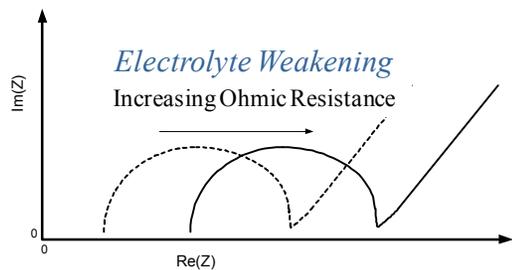
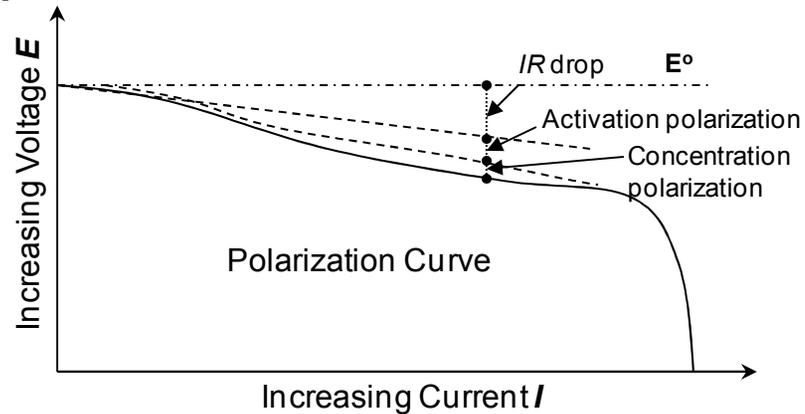
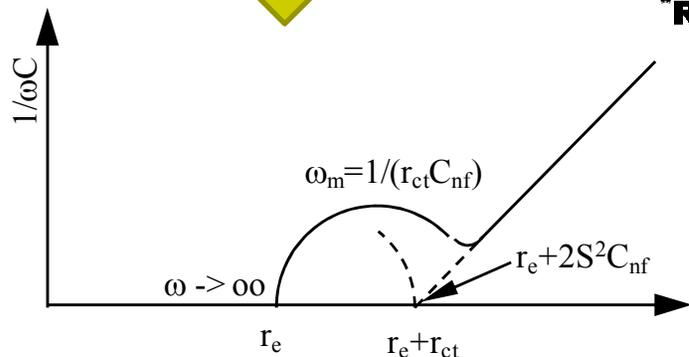
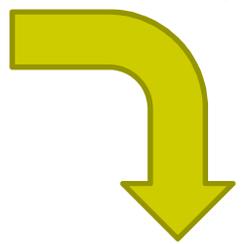
Modeling



Freq. Domain

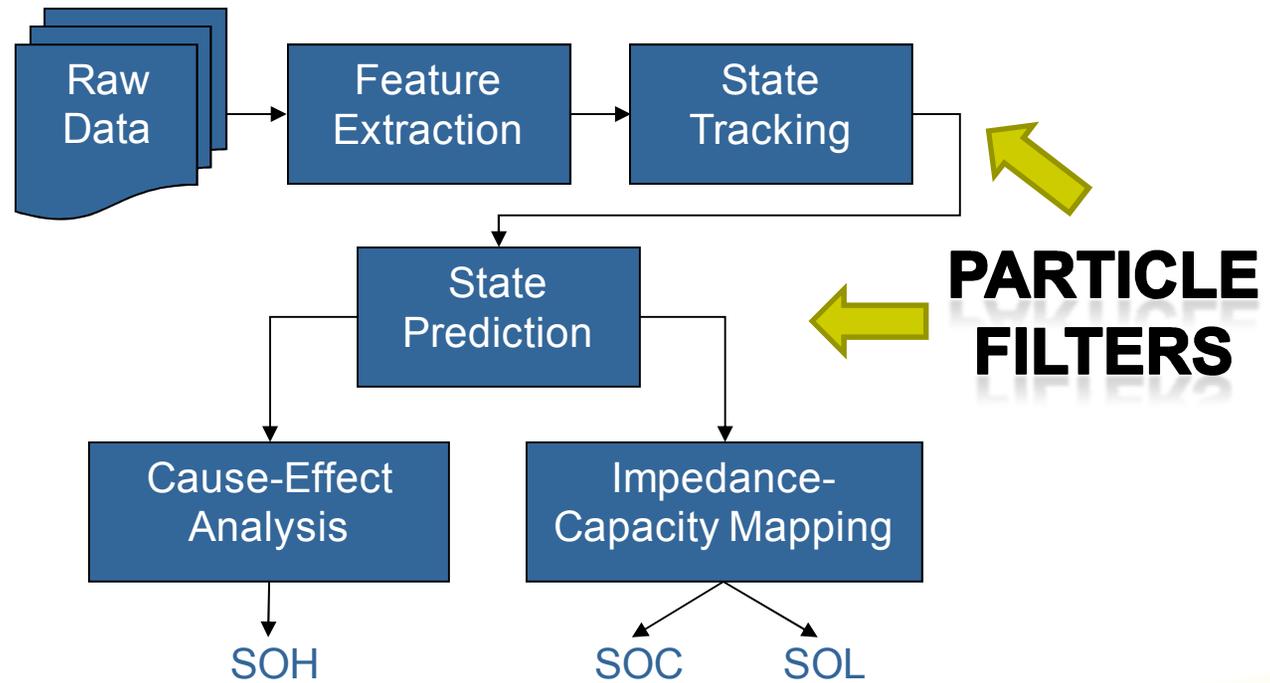
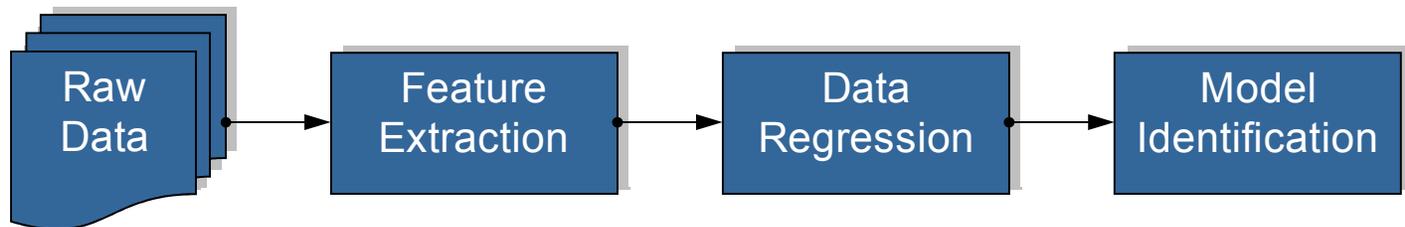


Time Domain



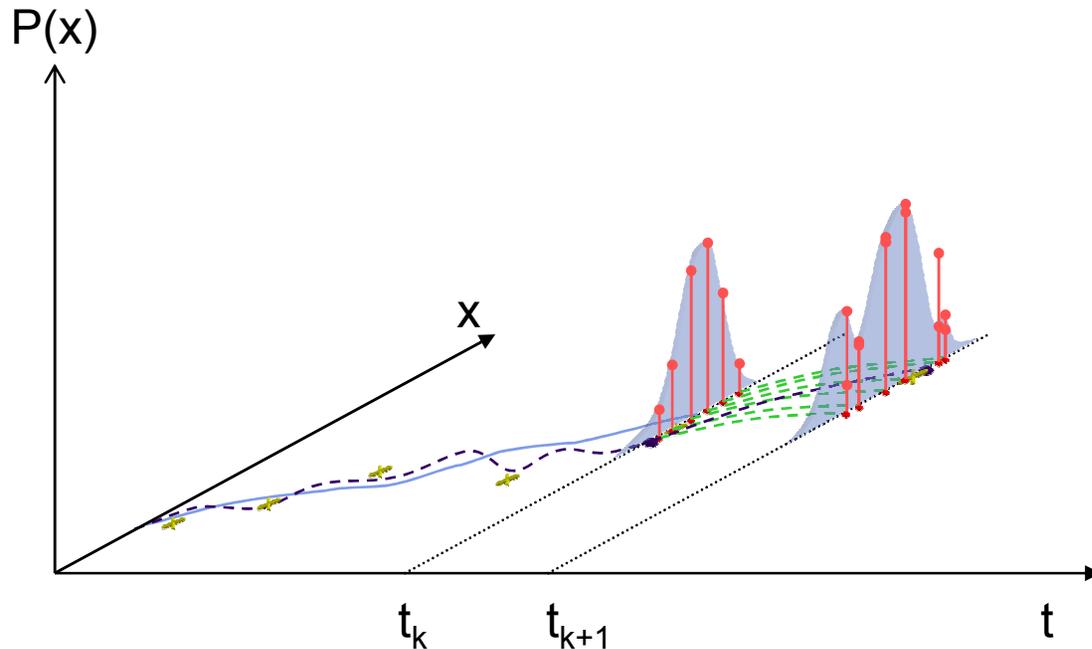


Logical Flowchart





Particle Filtering



- | | |
|------------------------|------------------------------|
| ● actual state value | --- actual state trajectory |
| × measured state value | — estimated state trajectory |
| ● state particle value | - - - particle propagation |
| ■ state pdf (belief) | — particle weight |

- represent state as a pdf
- sample the state pdf as a set of particles and associated weights
- propagate particle values according to model
- update weights based on measurement



Particle Filtering

- A particle filter iteratively approximates the posterior *pdf* as a set:

$$S_k = \{ \langle x_k^i, w_k^i \rangle \mid i = 1, \dots, n \}$$

$$p(x_k \mid z_{1:k}) \approx \sum_{i=1}^n w_k^i \delta(x_k - x_k^i)$$

where:

x_k^i is a point in the state space

w_k^i is an importance weight associated with the point



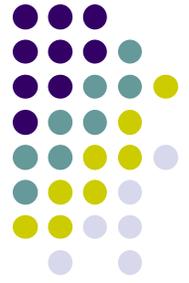
Particle Filtering

- **Prediction step:** use the state update model

$$p(\mathbf{x}_k | \mathbf{z}_{1:k-1}) = \int p(\mathbf{x}_k | \mathbf{x}_{k-1})p(\mathbf{x}_{k-1} | \mathbf{z}_{1:k-1})d\mathbf{x}_{k-1}$$

- **Update step:** with measurement, update the prior using Bayes' rule:

$$p(\mathbf{x}_k | \mathbf{z}_{1:k}) = \frac{p(\mathbf{z}_k | \mathbf{x}_k)p(\mathbf{x}_k | \mathbf{z}_{1:k-1})}{p(\mathbf{z}_k | \mathbf{z}_{1:k-1})}$$



Resampling

- Particle weights degenerate over time
 - measure of degeneracy: effective sample size

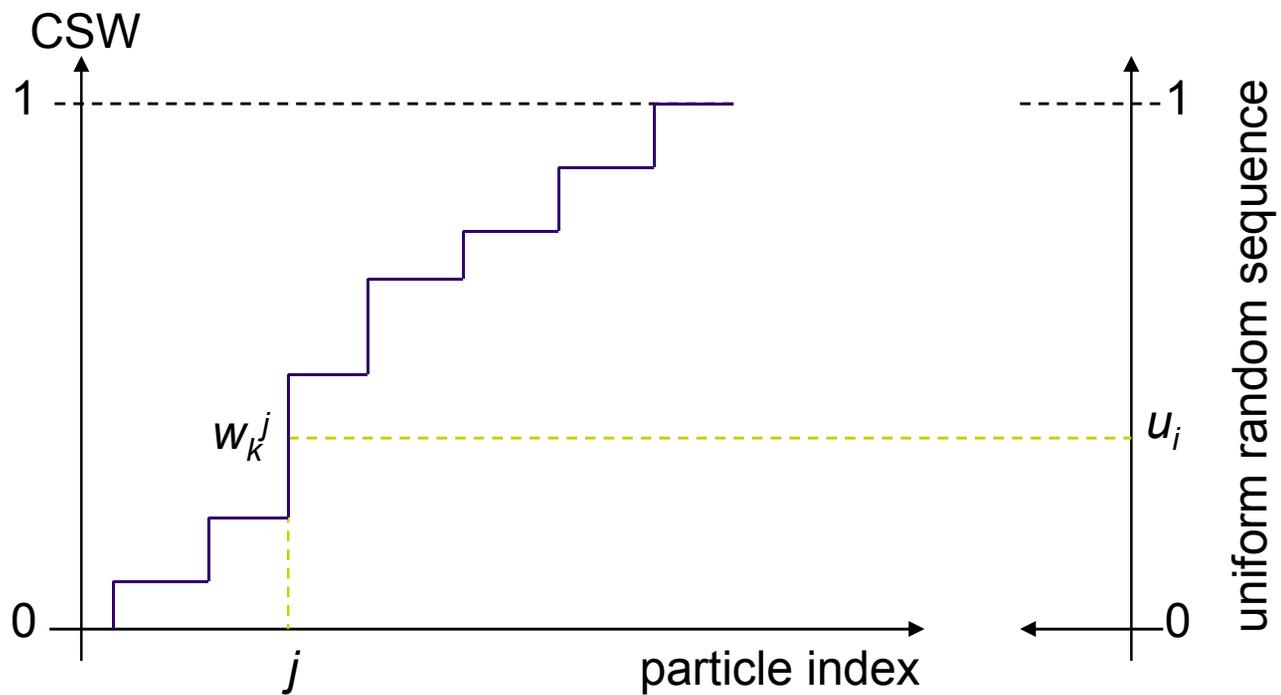
$$\hat{n}_{eff} = 1 / \sum_{i=1}^n (w_k^i)^2 \quad \leftarrow \text{use normalized weights}$$

$$1 \leq \hat{n}_{eff} \leq n$$

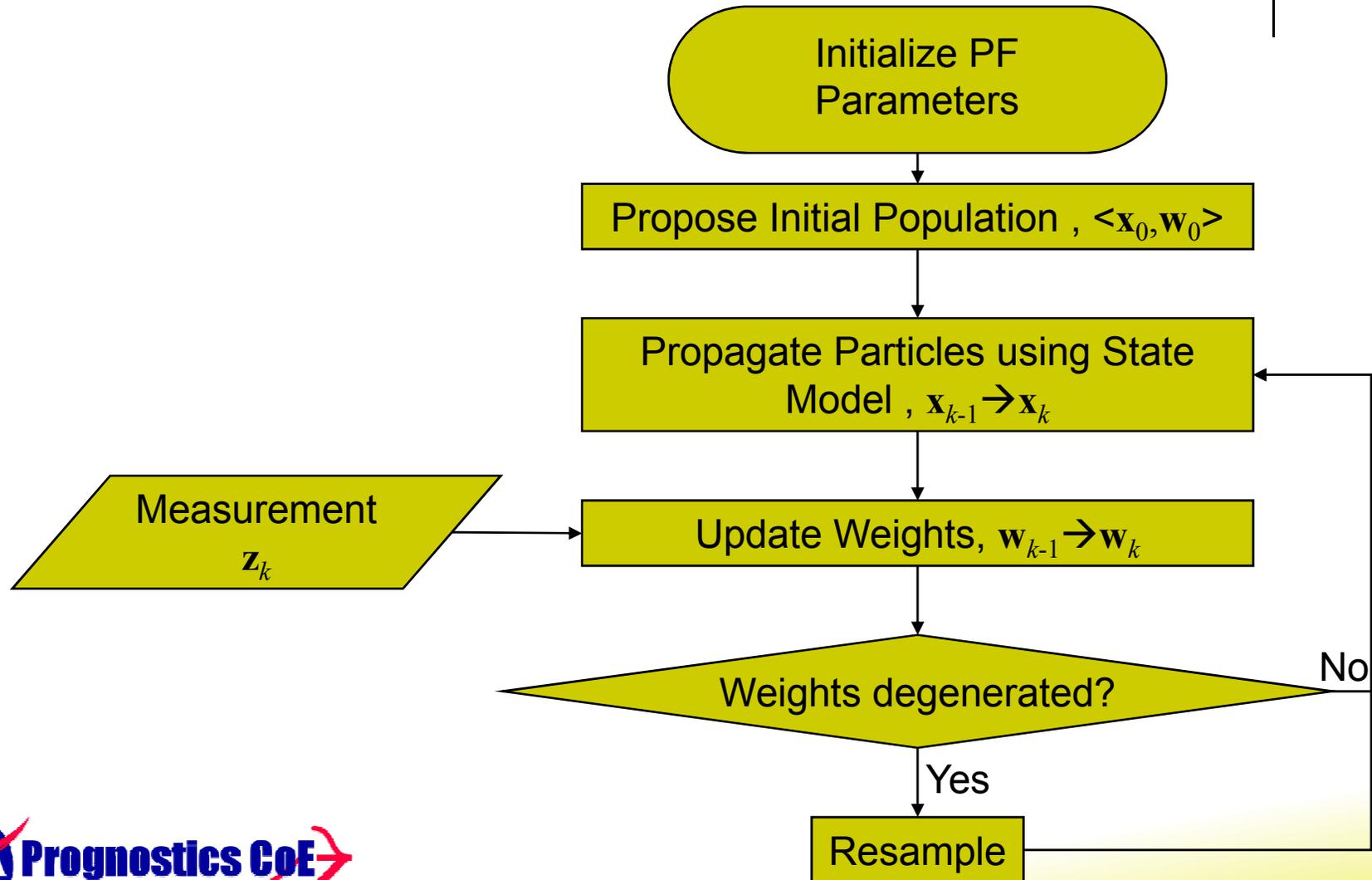
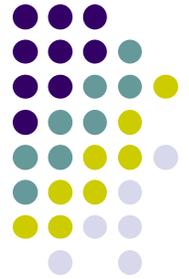
- resample whenever $\hat{n}_{eff} < n_{thr}$
- new set of particles have same statistical properties

$$\{x_k^i, w_k^i\} \Leftrightarrow \{x_k^{i*}, 1/n\}$$

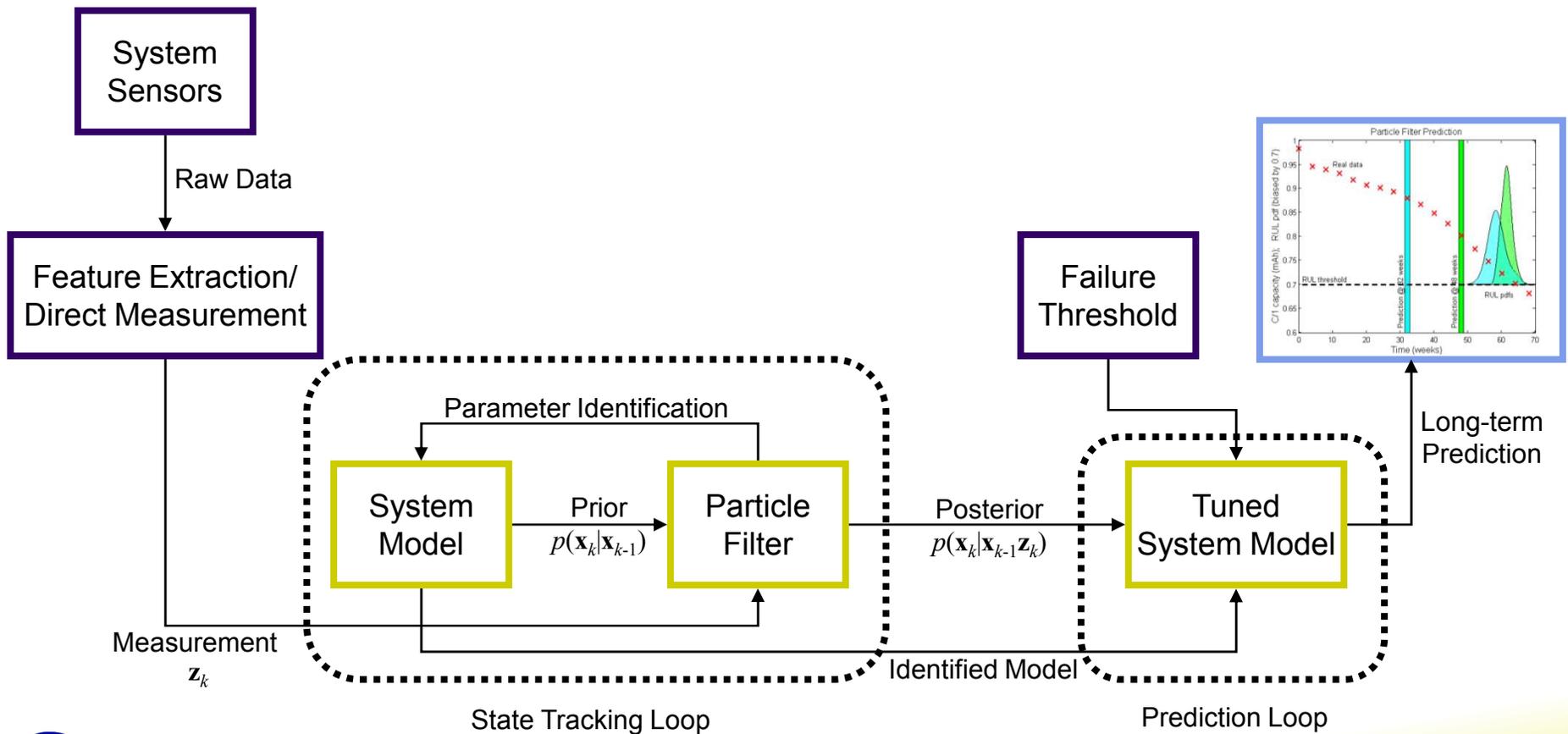
Resampling

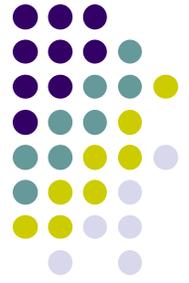


PF Flowchart



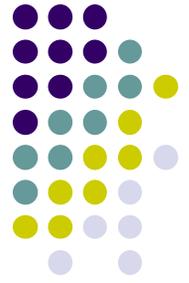
Prognostic Framework





Particle Filtering as a Tool

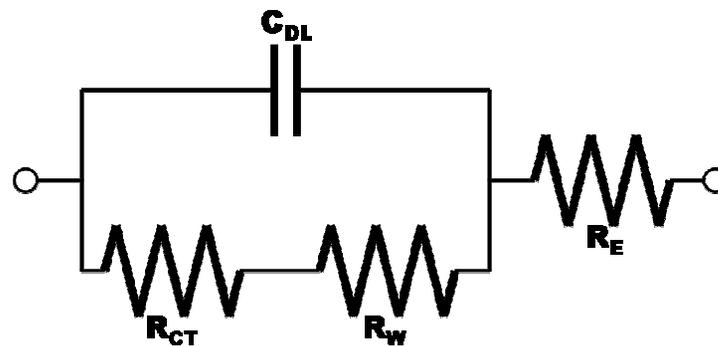
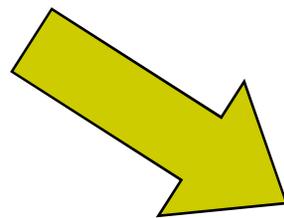
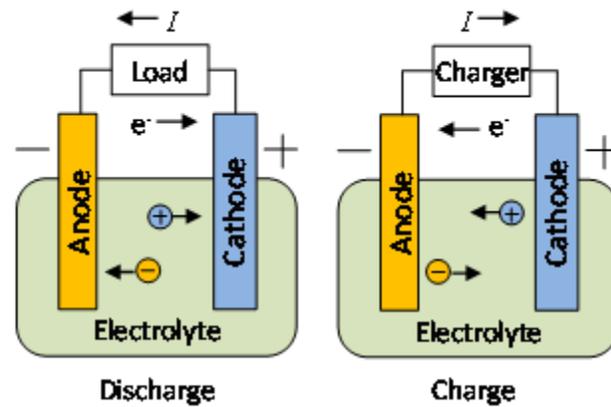
- Model adaptation
- State estimation, tracking and prediction
- Nice tradeoff between MC and KF
- Useful in both diagnostics and prognostics
- Represent uncertainty
- Manage uncertainty



Sources of Uncertainty

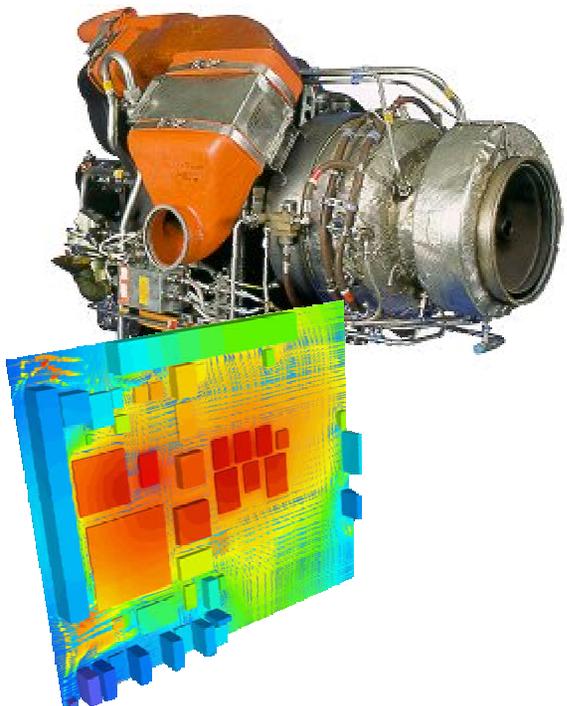
- Model
 - System complexity
 - Insufficient knowledge
 - Unknown environment
- Noise
 - Internal, external
 - Electrical, mechanical, thermal
- Sensor
 - Digitization
 - Bias
 - Deadbands, backlash, hysteresis
 - Nonlinear response

Modeling Uncertainty

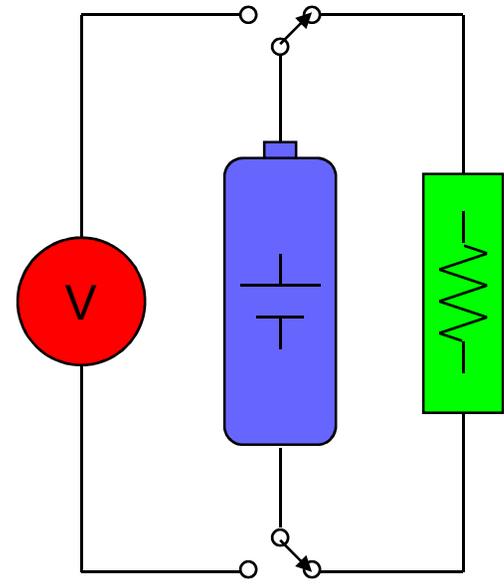




Noise Induced Uncertainty

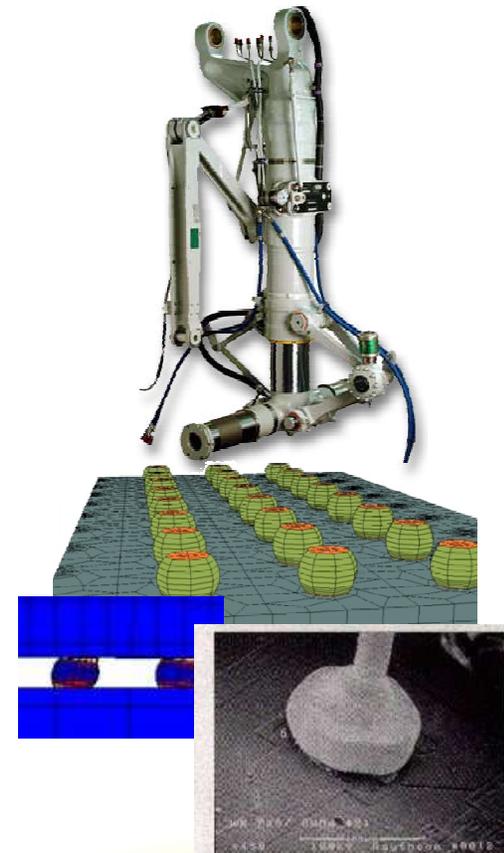


Switching

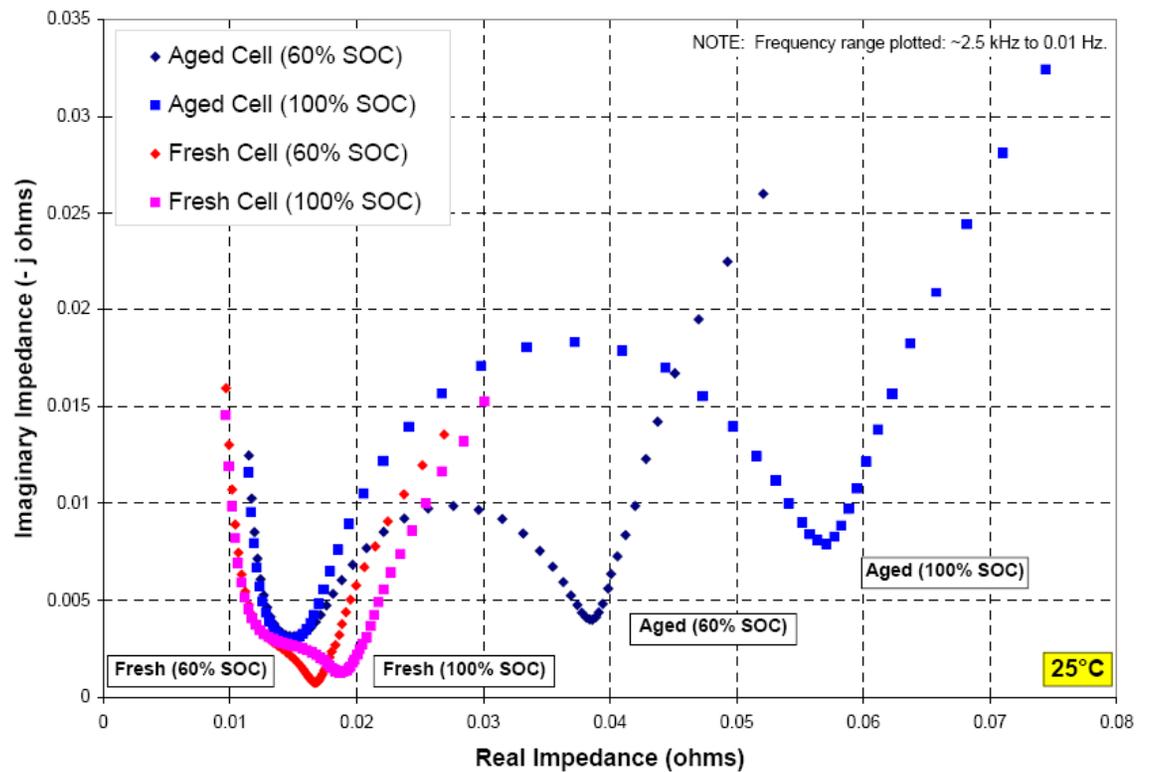
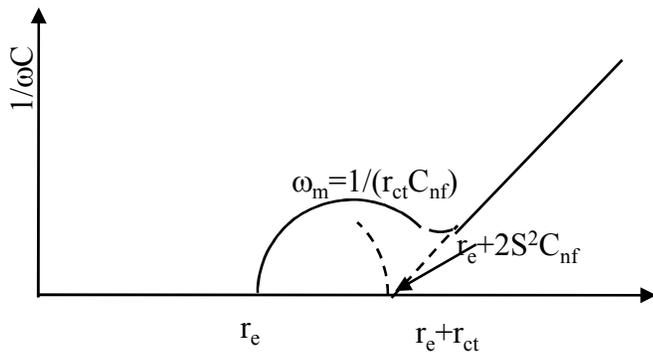


Charge

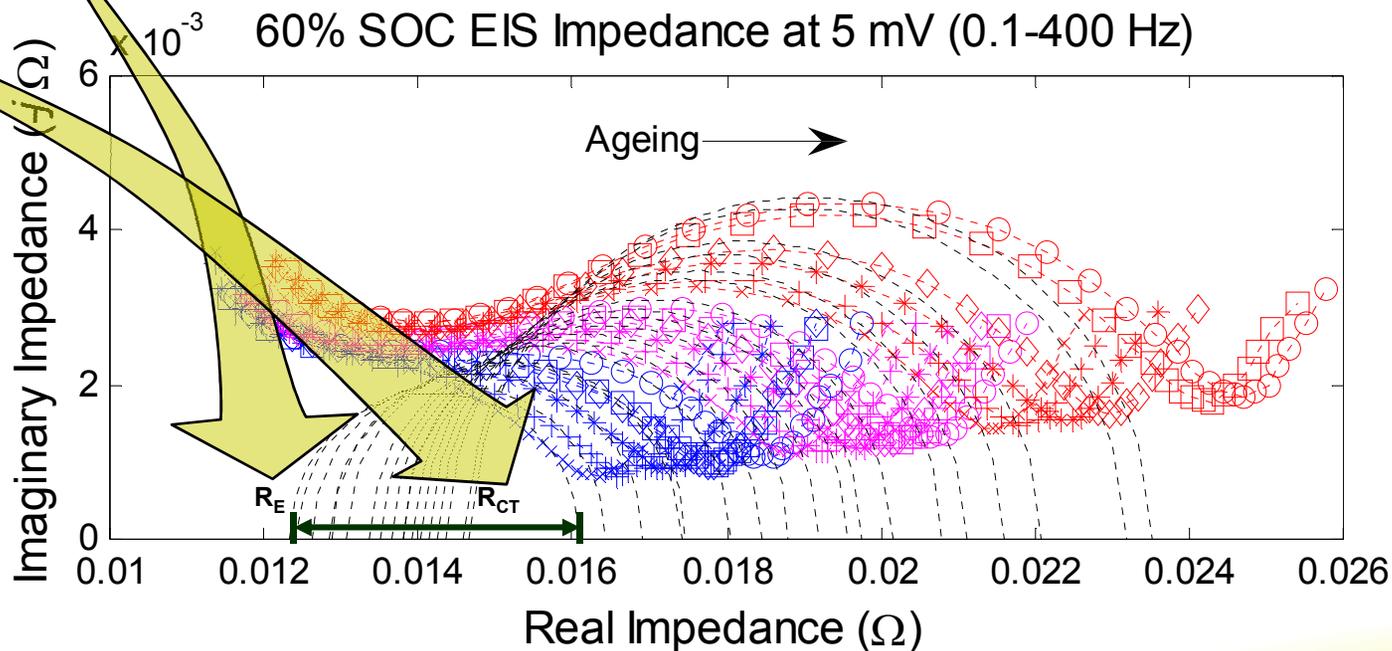
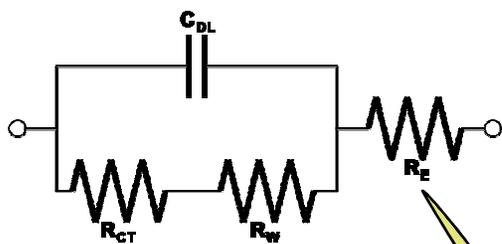
Discharge



Sensor Uncertainty

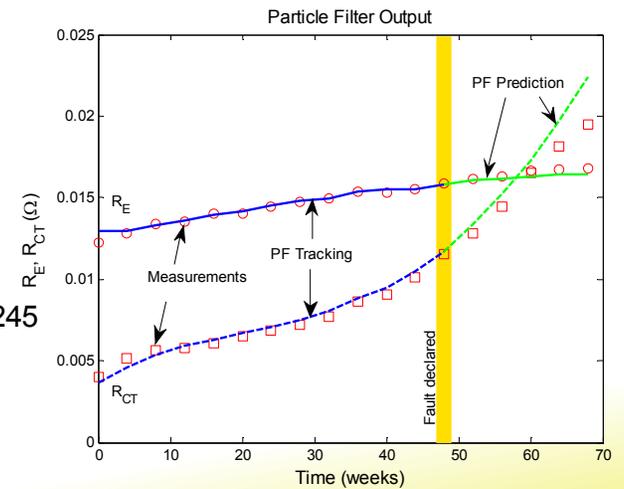
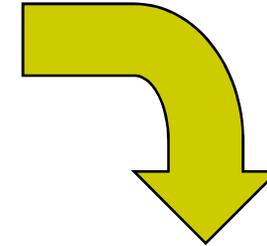
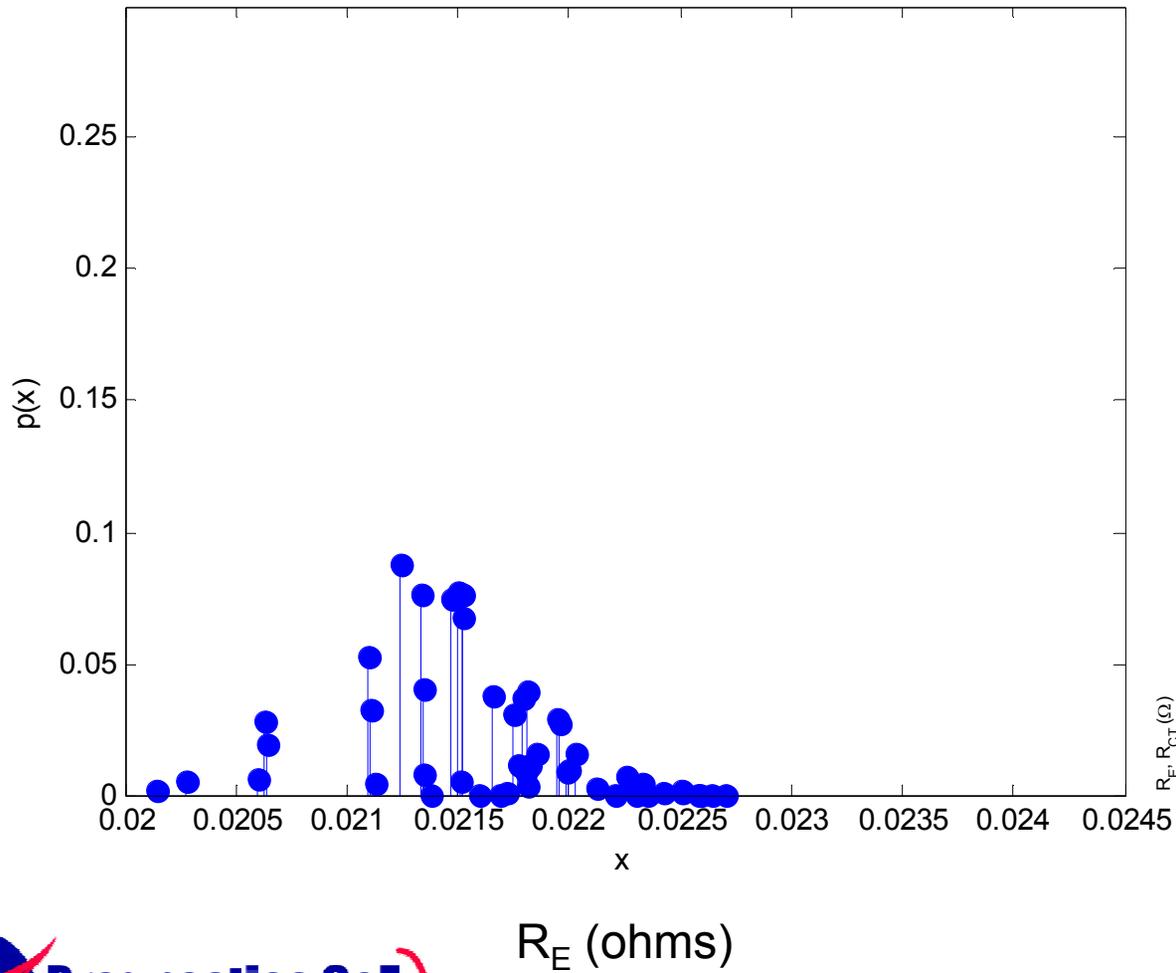
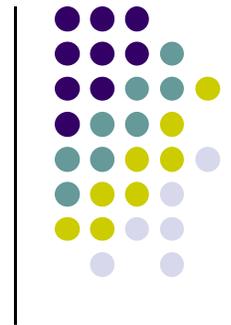


Results: Feature Extraction



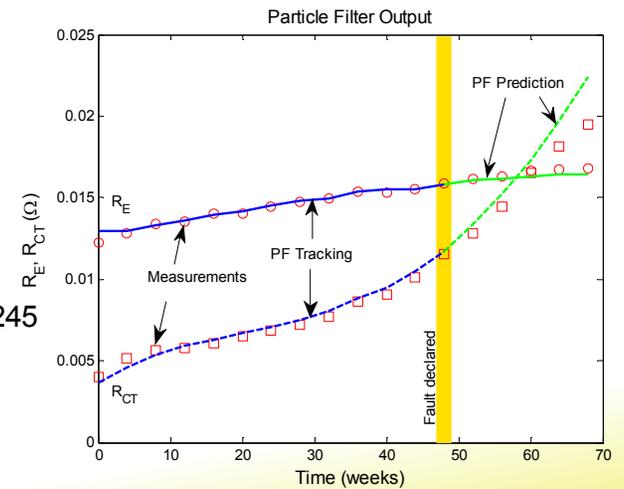
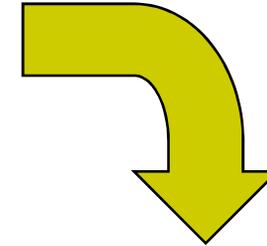
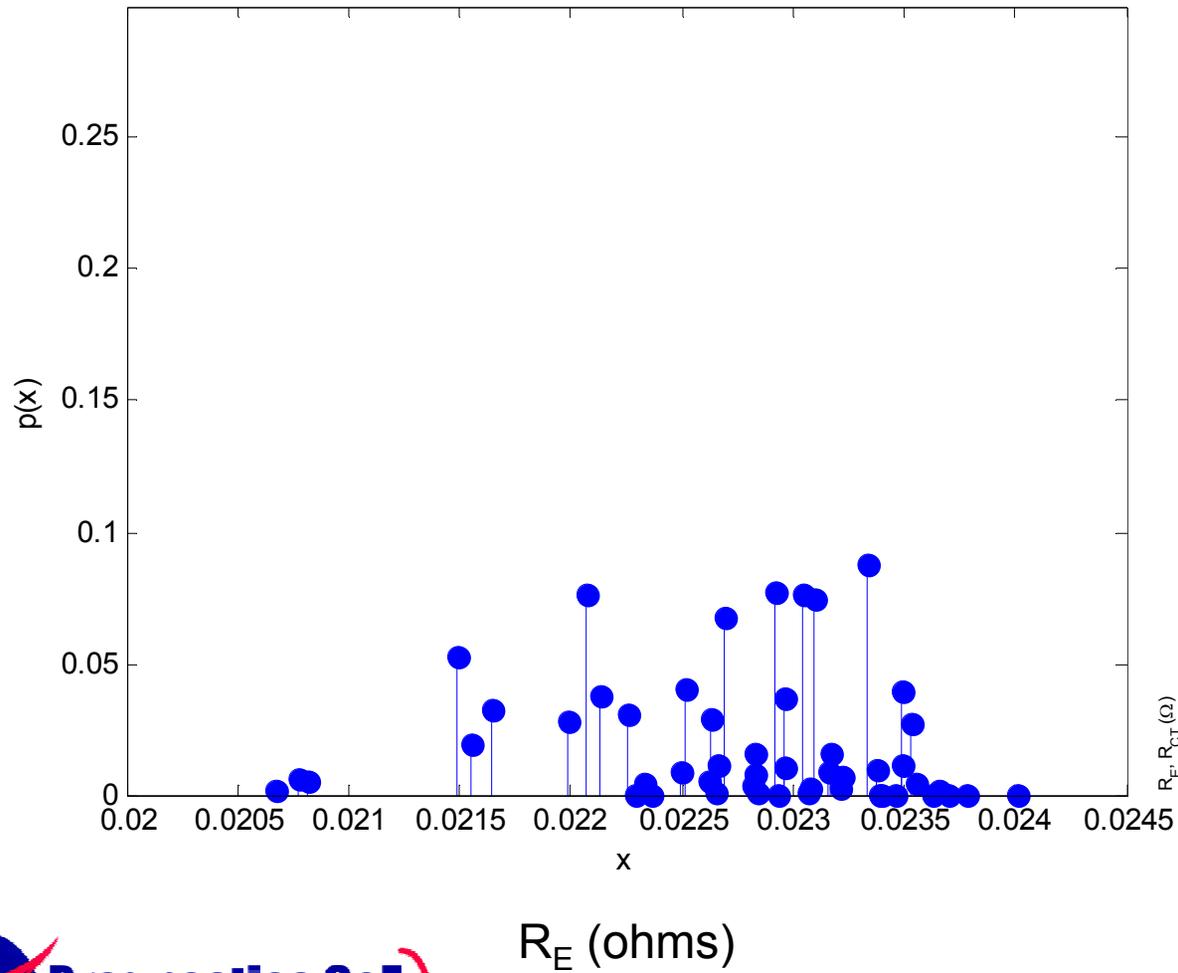
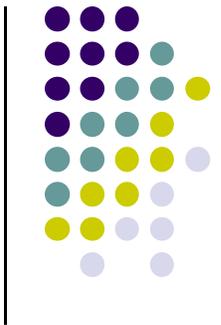
Results: Intermediate Steps

State Representation at t_7



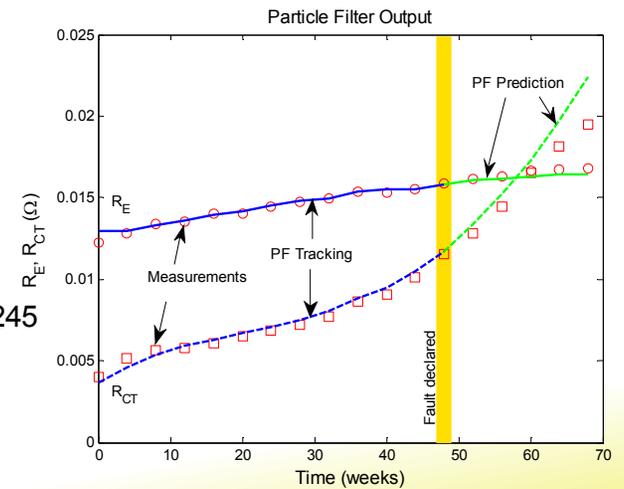
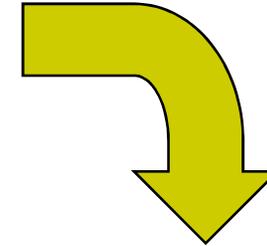
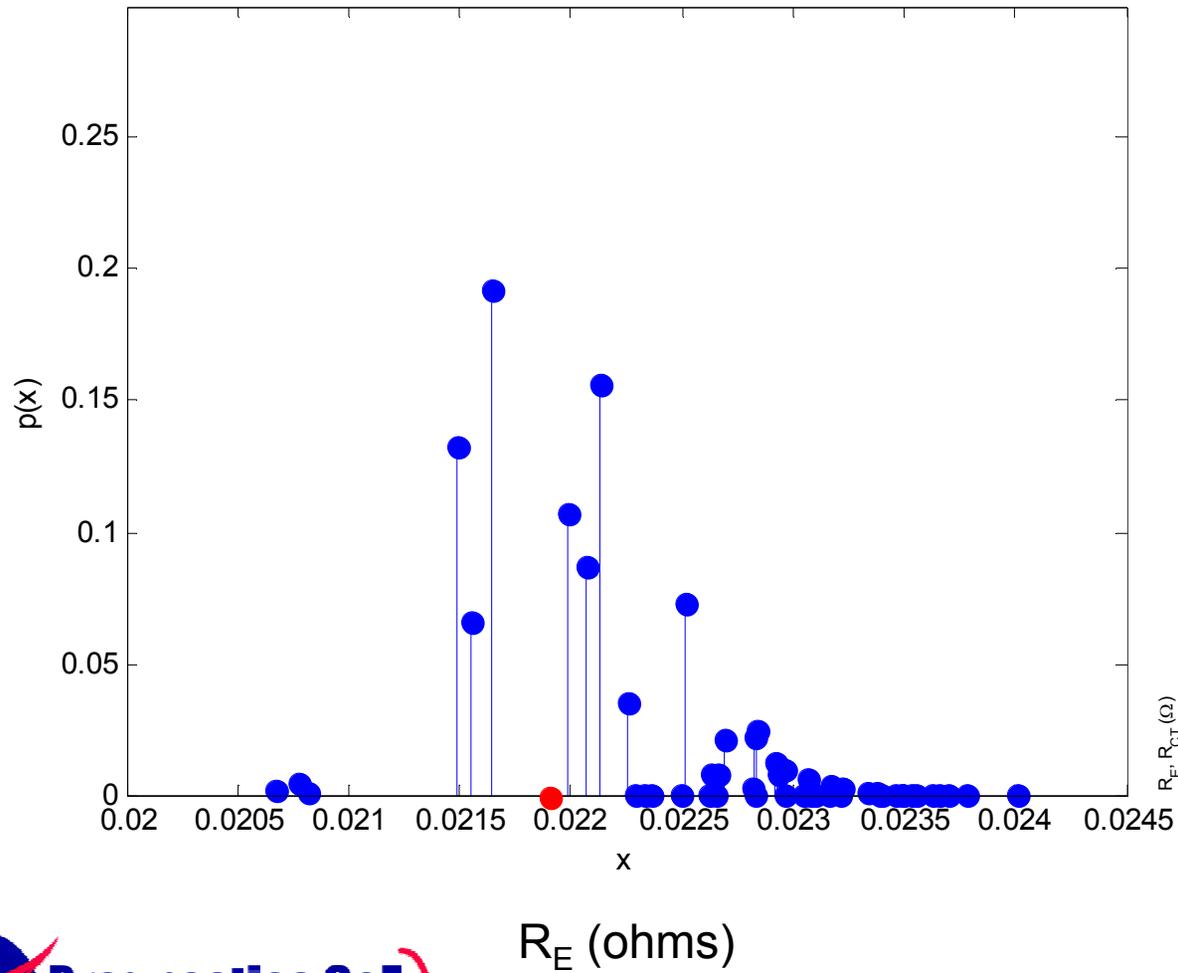
Results: Intermediate Steps

State Propagation at t_8



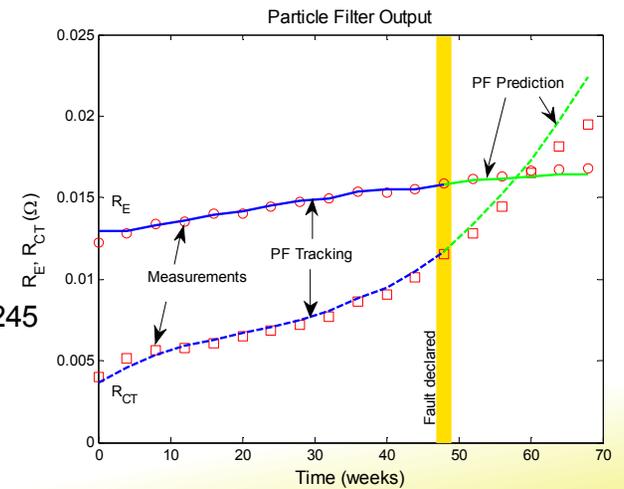
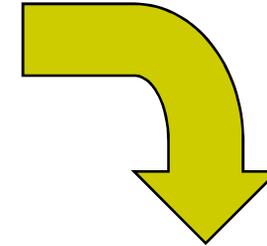
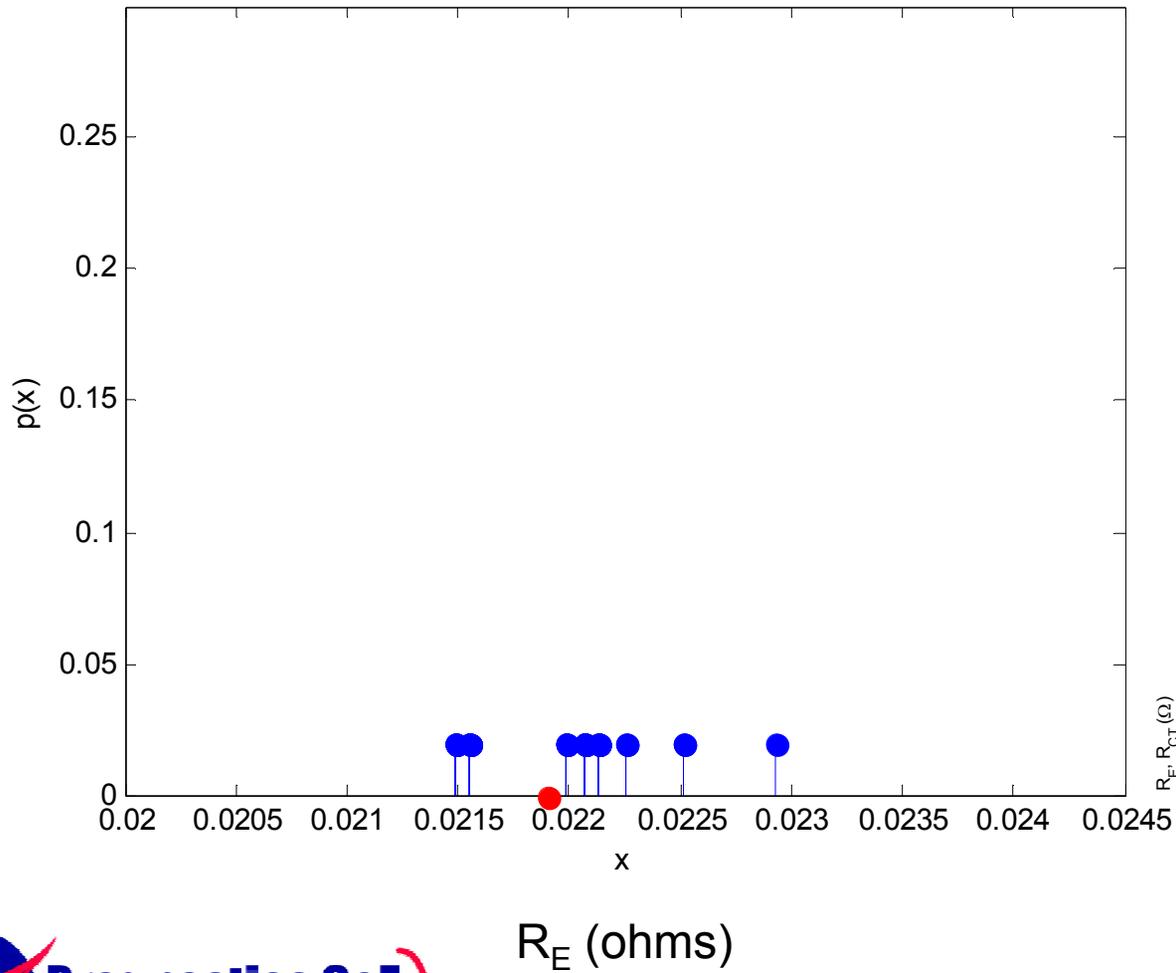
Results: Intermediate Steps

Weight Update at t_8



Results: Intermediate Steps

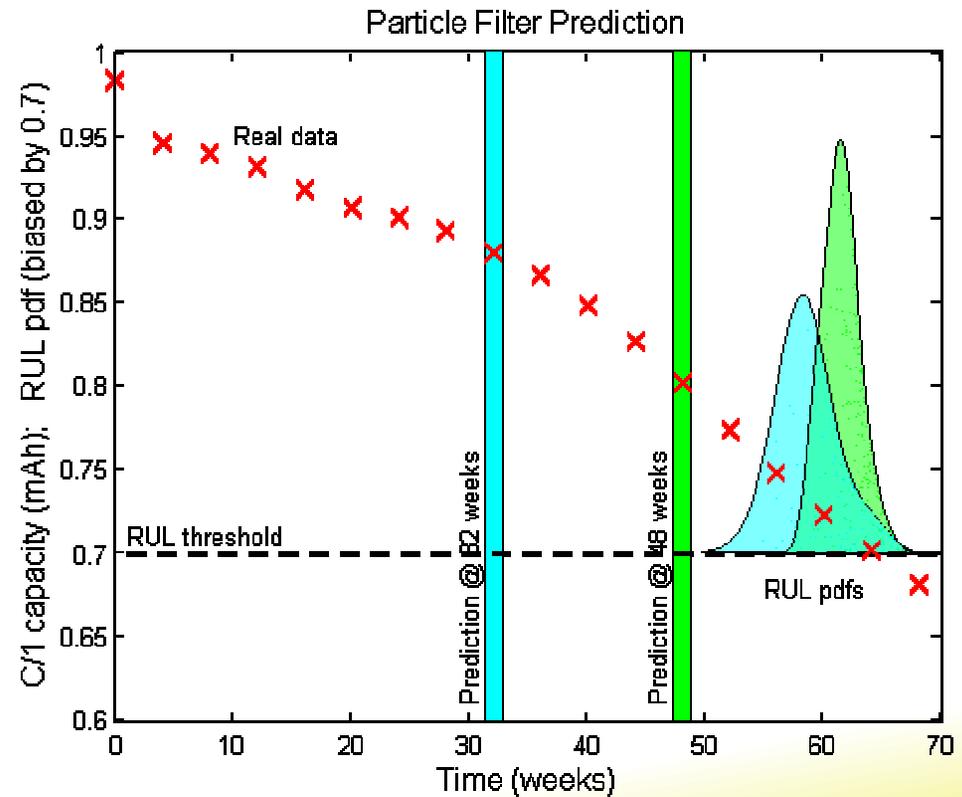
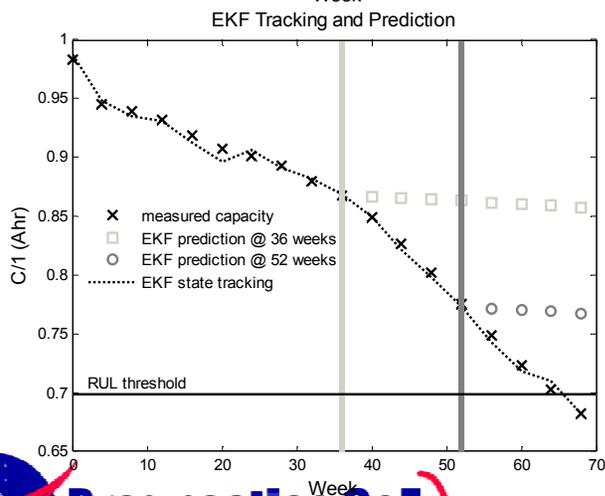
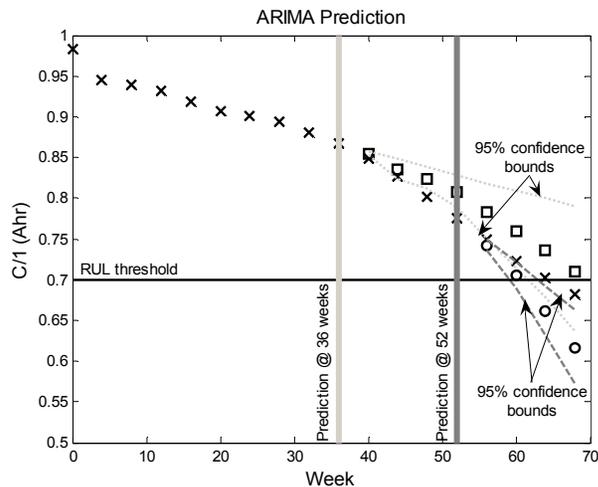
Resampling at t_8





Results: PF Prognosis

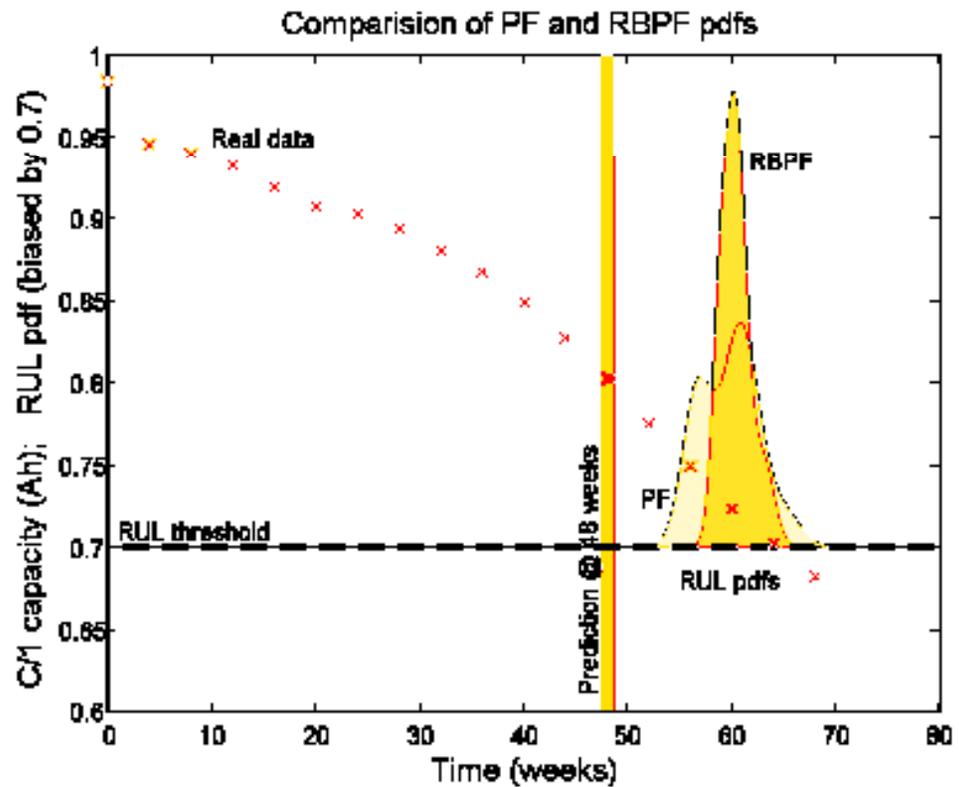
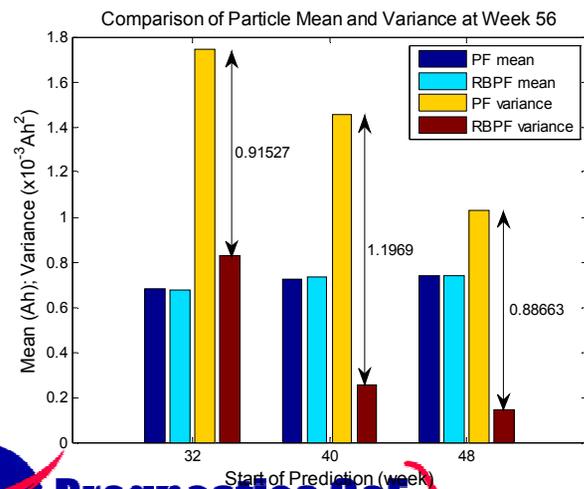
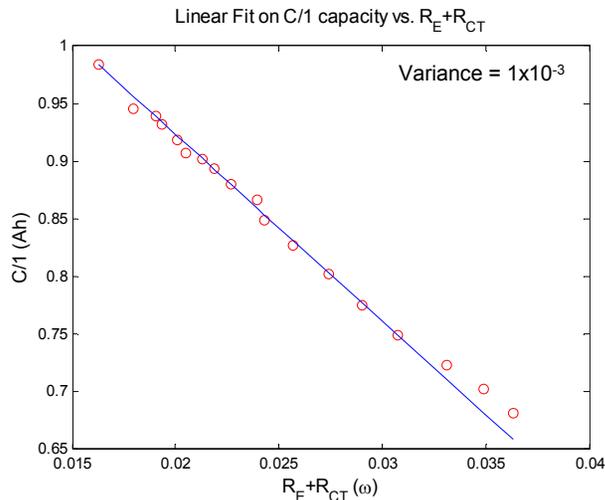
Training@25°C, Testing@45°C





Results: RBPF Prognosis

Training@25°C, Testing@45°C





Comments

- PF framework allows explicit representation and manipulation of uncertainty
- Mathematical guarantees of convergence
- A variety of models can be accommodated
- RUL pdfs are truer representations of reality than MTBFs